# chemlab Documentation 

Release 0.1

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Webpage https://chemlab.github.com/chemlab
Project Page https://github.com/chemlab/chemlab
Mailing List python-chemlab.googlegroups.com
Downloads https://chemlab.github.com/chemlab
Chemlab is a library that can help the user with chemistry-relevant calculations using the flexibility and power of the python programming language. It aims to be well-designed and pythonic, taking inspiration from project such as numpy and scipy.

Chemlab long term goal is to be:

- General Chemistry is a huge field, chemlab wants to provide a general ground from where to build domainspecific tools and apps.
- Array oriented most operations and data structures are based on numpy arrays. This let you write compact and efficient code.
- Graphic chemlab integrates a 3D molecular viewer that is easily extendable and lets you write your own visualization tools.
- Interoperable chemlab wants to be interoperable with other chemistry programs by reading and writing different file formats and using flexible data structures.
- Fast Even if python is known to be slow every effort should be made to make chemlab 'fast enough', by using effectively numpy arrays and efficient data structures. When everything else fails we can still write the hard bits in C with the help of cython.
chemlab Documentation, Release 0.1


## CHAPTER

ONE

## CURRENT STATUS

Computational and theoretical chemistry is a huge field, and providing a program that encompasses all aspect of it is an impossible task. The spirit of chemlab is to provide a common ground from where you can build specific programs. For this reason it includes an fully programmable molecular viewer.

Chemlab is in its early developement and it provides the most basic data structures. The molecular viewer has a solid ground and can actually draw and play trajectories in an efficient way. To get started be sure to check the User Manual.

Chemlab is developer-friendly, it provides good documentation and has an easy structure to get in. Feel free to send me anything that you may do with chemlab, like supporting a new file format, a new graphic renderer, a nice example, even if you don'think it's perfect. Send an email to the mailing list or file an issue on the github page to discuss any idea that comes to your mind. Get involved!

## USER MANUAL

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### 2.1 Installation and Quickstart

chemlab is currently tested on Ubuntu 12.10 and python 2.7 . First install the dependencies:
\$ sudo apt-get install python-numpy python-scipy python-matplotlib python-pyside python--opengl cythor
Download unpack and install chemalb from the setup.py included in the package:

```
$ wget https://pypi.python.org/packages/source/c/chemlab/chemlab-0.1.tar.gz
$ tar xvzf chemlab-0.1.tar.gz
$ cd chemlab-0.1
$ sudo python setup.py install
```

Test the newly installed package by typing:
\$ chemlab view tests/data/cry.gro
The molecular viewer should display a crystal, if not, file an issue on github.


Once you're setup you're ready to to dig in chemlab's features contained in the User Manual.

### 2.1.1 Developement

After installing the dependencies, grab the chemlab source from git:

```
$ git clone --recursive https://github.com/chemlab/chemlab.git
```

Complile the included extensions:

```
$ python setup.py build_ext --inplace
```

Just add the chemlab directory to the PYTHONPATH in your .bashrc:
export PYTHONPATH=\$PYTHONPATH:/path/to/chemlab

### 2.2 Atoms, Molecules and Systems

In chemlab, atoms can be represented using the chemlab. core. Atom data structure that contains some common information about our particles like type, mass and position. Atom instances are easily created by initializing them with data

```
>>> from chemlab.core import Atom
>>> ar = Atom('Ar', [0.0, 0.0, 0.0])
>>> ar.type
'Ar'
>>> ar.r
np.array([0.0, 0.0, 0.0])
```

Note: for the atomic coordinates you should use nanometers

A chemlab.core. Molecule is an entity composed of more atoms and most of the Molecule properties are inherited from the constituent atoms. To initialize a Molecule you can, for example pass a list of atom instances to its constructor:

```
>>> from chemlab.core import Molecule
>>> mol = Molecule([at1, at2, at3])
```


### 2.2.1 Manipulating Molecules

Molecules are easily and efficiently manipulated through the use of numpy arrays. One of the most useful arrays contained in Molecule is the array of coordinates Molecule.r_array. The array of coordinates is a numpy array of shape (NA, 3) where NA is the number of atoms in the molecule. According to the numpy broadcasting rules, if you sum two arrays with shapes (NA, 3) and (3, ), each row of the first array get summed by the second array. Let's say we have a water molecule and we want to displace it randomly in a box, this is easily accomplished by initializing a Molecule at the origin and summing its coordinates by a random displacement:

```
import numpy as np
wat = Molecule([Atom("H", [0.0, 0.0, 0.0]),
    Atom("H", [0.0, 1.0, 0.0]),
    Atom("O", [0.0, 0.0, 1.0])])
# Shapes (NA, 3) and (3,)
wat.r_array += np.random.rand(3)
```

Using the same principles you can also apply other kinds of transformations such as matrices. You can for example rotate the molecule by 90 degrees around the z -axis:

```
from chemlab.graphics.transformations import rotation_matrix
# The transformation module returns 4x4 matrices
M = rotation_matrix(np.pi/2, np.array([0.0, 0.0, 1.0])) [:3,:3]
# slow, readable way
for i,r in enumerate(wat.r_array):
    wat.r_array[i] = np.dot(M,r)
# numpy efficient way to do the same:
# wat.r_array = np.dot(wat.r_array, M.T)
```

The array-based API provides a massive increase in performance and a more straightforward integration with C libraries thanks to the numpy arrays. This feature comes at a cost: the data is copied between atoms and molecules, in other words the changes in the costituents atoms are not reflected in the Molecule and viceversa. Even if it may look a bit unnatural, this approach limits side effects making the code more predictable and easy to follow.

### 2.2.2 Systems

In context such as molecular simulations it is customary to introduce a new data structure called System. A System represents a collection of molecules, and optionally (but recommended) you can pass also periodic box information:

```
>>> from chemlab.core import System
# molecule = a list of Molecule instances
>>> s = System(molecules, boxsize=2.0)
```

System do not take directly Atom instances as its constituents, therefore if you need to simulate a system made of single atoms (say, a box of liquid Ar) you need to wrap the atoms into a Molecule:

```
>>> ar = Atom('Ar', [0.0, 0.0, 0.0])
>>> mol = Molecule([ar])
```

System, similarly to Molecule can expose data by using arrays and it inherits atomic data from the constituent molecules. For instance, you can easily and efficiently access all the atomic coordinates by using the attribute System.r_array. To understand the relation between Atom.r, Molecule.r_array and System.r_array you can refer to the picture below:


You can preallocate a System by using the classmethod System. empty (pretty much like you can preallocate numpy arrays with np.empty or np.zeros) and then add the molecules one by one:

```
import numpy as np
from chemlab.core import Atom, Molecule, System
from chemlab.graphics import display_system
# Template molecule
wat = Molecule([Atom('O', [0.00, 0.00, 0.01]),
    Atom('H', [0.00, 0.08,-0.05]),
    Atom(' H', [0.00,-0.08,-0.05])])
# Initialize a system with four water molecules.
s = System.empty(4, 12) # 4 molecules, 12 atoms
for i in range(4):
    wat.move_to(np.random.rand(3)) # randomly displace the water molecule
    s.add(wat) # data gets copied each time
```

```
display_system(s)
```

Since the data is copied, the wat molecule act as a template so you can move it around and keep adding it to the System.

Preallocating and adding molecules is a pretty fast way to build a System, but the fastest way (in terms of processing time) is to build the system by passing ready-made arrays, this is done by using chemlab. core. System.from_arrays().

## Building Crystals

chemlab provides an handy way to build crystal structures from the atomic coordinates and the space group information. If you have the crystallographic data, you can easily build a crystal:

```
from chemlab.core import Atom, Molecule, crystal
from chemlab.graphics import display_system
# Molecule templates
na = Molecule([Atom('Na', [0.0, 0.0, 0.0])])
cl = Molecule([Atom('Cl', [0.0, 0.0, 0.0])])
s = crystal([[0.0, 0.0, 0.0], [0.5, 0.5, 0.5]], # Fractional Positions
    [na, cl], # Molecules
    225, # Space Group
    cellpar = [.54, . 54, .54, 90, 90, 90], # unit cell parameters
    repetitions = [5, 5, 5]) # unit cell repetitions in each direction
display_system(s)
```


## See Also:

```
chemlab.core.crystal()
```

Note: If you'd like to implement a .cif file reader, you're welcome! Drop a patch on github.

## Manipulating Systems

## Selections

You can manipulate systems by using some simple but flexible functions. It is really easy to generate a system by selecting a part from a bigger system, this is implemented in the functions chemlab.core.subsystem_from_atoms() and chemlab.core.subsystem_from_molecules().

Those two functions take as first argument the original System, and as the second argument a selection. A selection is either a boolean array that is True when we want to select that element and False otherwise or an integer array containing the elements that we want to select. By using those two functions we can create subsystem by building those selections.

The following example shows an easy way to take the molecules that contain atoms in the region of space $x>0.5$ by employing subsystem_from_atoms():

```
import numpy as np
from chemlab.core import crystal, Molecule, Atom, subsystem_from_atoms
from chemlab.graphics import display_system
```

```
# Template molecule
wat = Molecule([Atom('O', [0.00, 0.00, 0.01]),
    Atom('H', [0.00, 0.08,-0.05]),
    Atom('H', [0.00,-0.08,-0.05])])
s = crystal([[0.0, 0.0, 0.0]], [wat], 225,
    cellpar = [.54, .54, .54, 90, 90, 90], # unit cell parameters
    repetitions = [5, 5, 5]) # unit cell repetitions in each direction
selection = s.r_array[:, 0] > 0.5
sub_s = subsystem_from_atoms(s, selection)
display_system(sub_s)
```



It is also possible to select a subsystem by selecting specific molecules, in the following example we select the first 10 water molecules by using subsystem_from_molecules():

```
from chemlab.core import subsystem_from_molecules
selection = np.array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
sub_s = subsystem_from_molecules(s, selection)
```

Note: chemlab will provide other selection utilities in the future, if you have a specific request, file an issue on github

## Merging systems

You can also create a system by merging two different systems. In the following example we will see how to make a $\mathrm{NaCl} / \mathrm{H} 2 \mathrm{O}$ interface by using chemlab. core.merge_systems ():

```
import numpy as np
from chemlab.core import Atom, Molecule, crystal
from chemlab.core import subsystem_from_atoms, merge_systems
from chemlab.graphics import display_system
# Make water crystal
wat = Molecule([Atom('O', [0.00, 0.00, 0.01]),
    Atom(' H', [0.00, 0.08,-0.05]),
    Atom(' H', [0.00,-0.08,-0.05])])
water_crystal = crystal([[0.0, 0.0, 0.0]], [wat], 225,
    cellpar = [.54, .54, .54, 90, 90, 90], # unit cell parameters
    repetitions = [5, 5, 5]) # unit cell repetitions in each direction
# Make nacl crystal
na = Molecule([Atom('Na', [0.0, 0.0, 0.0])])
cl = Molecule([Atom('Cl', [0.0, 0.0, 0.0])])
nacl_crystal = crystal([[0.0, 0.0, 0.0], [0.5, 0.5, 0.5]], [na, cl], 225,
        cellpar = [.54, .54, .54, 90, 90, 90],
        repetitions = [5, 5, 5])
water_half = subsystem_from_atoms(water_crystal,
        water_crystal.r_array[:,0] > 1.2)
nacl_half = subsystem_from_atoms(nacl_crystal,
        nacl_crystal.r_array[:,0] < 1.2)
interface = merge_systems(water_half, nacl_half)
display_system(interface)
```



At the present time, the merging will avoid overlapping by creating a bounding box around the two systems and removing the molecules of the first system that are inside the second system bounding box. In the future there will be more clever ways to handle this overlaps.

## Sorting

If you use chemlab in conjunction with GROMACS, you may use the chemlab.core. System.sort () to sort the molecules according to their molecular formulas before exporting. The topology file expect to have a file with the same molecule type ordererd.

### 2.3 Input and Output Routines

### 2.3.1 The jungle of file formats

There are a lot of file formats used and produced by chemistry applications. Each program has his way to store geometries, trajectories, energies and properties etc. chemlab tries to encompass all of those different properties by using a lightweight way to handle such differences.

### 2.3.2 Reading and writing data

The classes responsible for the I/O are subclasses of chemlab.io.handlers.IOHandler. These handlers work all in the same way, here is an example of GroHandler:

```
from chemlab.io import GroIO
infile = GroIO('waterbox.gro')
system = infile.read('system')
# Modify system as you wish...
outfile = GroIO('waterbox_out.gro')
outfile.write('system', system)
```

You first create the handler instance for a certain format and then you can read a certain feature provided by the handler. In this example we read and write the system feature.

Some file formats may have some extra data for each atom, molecule or system. For example the ".gro" file formats have his own way to call the atoms in a water molecule: OW, HW1, HW2. To handle such issues, you can write this information in the export arrays contained in the data structures, such as Atom.export, Molecule.export, and their array-based counterparts Molecule.atom_export_array, System.mol_export and System.atom_export_array.
Those attributes are especially important where you write in some data format, since you may have to provide those attribute when you initialize your Atom, Molecule and System.

You can easily open a data file without even having to search his format handler by using the utility function chemlab.io.datafile():
from chemlab.io import datafile
sys $=$ datafile('waterbox.gro').read('system')
t, coords = datafile('traj.xtc').read('trajectory')

## See Also:

## Supported File Formats

### 2.3.3 Implementing your own IOHandler

Implementing or improving an existing IOHandler is a great way to partecipate in chemlab development. Fortuately, it's extremely easy to setup one of them.

It boils down to a few steps:

1. Subclass IOHandler;
2. Define the class attributes can_read and can_write;
3. Implement the write and read methods for the features that you added in can_read and can_write;
4. Write the documentation for each feature.

Here is an example of the $x y z$ handler:

```
import numpy as np
from chemlab.io.handlers import IOHandler
from chemlab.core import Molecule
class XyzIO(IOHandler):
```

```
\prime\prime'The XYZ format is described in this wikipedia article
http://en.wikipedia.org/wiki/XYZ_file_format.
**Features**
.. method:: read("molecule")
    Read the coordinates in a :py:class: '~chemlab.core.Molecule' instance.
.. method:: write("molecule", mol)
    Writes a :py:class: '~chemlab.core.Molecule' instance in the XYZ format.
\prime,'
can_read = ['molecule']
can_write = ['molecule']
def __init__(self, filename):
    self.filename = filename
def read(self, feature):
    self.check_feature(feature, "read")
    lines = open(self.filename).readlines()
    num = int(lines[0])
    title = lines[1]
    if feature == 'title':
        return title
    if feature == 'molecule':
        type_array = []
        r_array = []
        for l in lines[2:]:
            type, x, y, z = l.split()
            r_array.append([float(x),float(y),float(z)])
            type_array.append(type)
            r_array = np.array(r_array)/10 # To nm
            type_array = np.array(type_array)
            return Molecule.from_arrays(r_array=r_array, type_array=type_array)
def write(self, feature, mol):
    self.check_feature(feature, "write")
    lines = []
    if feature == 'molecule':
        lines.append(str(mol.n_atoms))
        lines.append('Generated by chemlab')
        for t, (x, y, z) in zip(mol.type_array, mol.r_array):
            lines.append(' %s %.6f %.6f %.6f' %
                        (t, x*10, y*10, z*10))
        open(self.filename, 'w').write('\n'.join(lines))
```

A few remarks:

- It is recommended to use the method check_feature () before performing read/write. This will check that the feature is present in the can_read/can_write list;
- If you want to squeeze out performance you should use Molecule.from_arrays() and System.from_arrays();
- You can read whatever data you wish, for example the EdrIO handler does not read Molecule or System at all;
- You can definitely take inspiration from the handlers included in chemlab, Supported File Formats.


### 2.4 Graphics and Visualization

### 2.4.1 Intro

The chemlab.graphics package is one of the most interesting aspects of chemlab, that sets him apart from similar programs.

The purpose of the package is to provide a solid library to develop 3D applications to display chemical data in an flexible way. For example it's extremely easy to build a molecular viewer and add a bunch of custom features to it.

The typical approach when developing a graphics application is to create a QtViewer instance and add 3D features to it:

```
>>> from chemlab.graphics import QtViewer
>>> v = QtViewer()
```

now let's define a molecule. We can use the moldb module to get a water template.

```
>>> from chemlab.graphics.renderers import SphereRenderer
>>> from chemlab.data.moldb import water
>>> ar = v.add_renderer(AtomRenderer, water.r_array, water.type_array)
>>> v.run()
```


## $\otimes \Theta$ © qtviewer.pyc

In this way you should be able to visualize a molecule where each atom is represented as a sphere. There are also a set of viewing controls:

- Mouse Drag (Left Click) or Left/Right/Up/Down: Rotate the molecule
- Mouse Drag (Right Click): Pan the view
- Mouse Wheel or +/-: Zoom in/out

In a similar fashion it is possible to display other features, such as boxes, arrows, lines, etc. It is useful to notice that with Viewer. add_renderer we are not passing an instance of the renderer, but we're passing the renderer class and its respective constructor arguments. The method Viewer. add_renderer returns the actual instance.

It is possible as well to overlay 2D elements to a scene in a similar fashion, this will display a string at the screen position 300, 300:

```
from chemlab.graphics.uis import TextUI
tui = v.add_ui(TextUI, 300, 300, "Hello, World!")
```

Anyway, I encourage you to use the powerful Qt framework to provide interaction and widgets to your application.

### 2.4.2 Renderers

Renderers are simply classes used to draw 3D objects. They are tecnically required to provide just one method, draw and they must take an instance of QChemlabWidget as their first argument (check out the AbstractRenderer class). In this way they provide the maximum flexibility required to build efficient opengl routines. Renderers may be subclass other renderers as well as use other renderers.

A very useful renderer is TriangleRenderer, used to render efficiently a list of triangles, it constitutes a base for writing other renderers. TriangleRenderer works basically like this, you pass the vertices, normals and colors of the triangle and it will display a triangle in the world:

```
from chemlab.graphics import QtViewer
from chemlab.graphics.renderers import TriangleRenderer
from chemlab.graphics.colors import green
import numpy as np
```

```
vertices = np.array([[0.0, 0.0, 0.0], [0.0, 1.0, 0.0], [1.0, 0.0, 0.0]])
```

vertices = np.array([[0.0, 0.0, 0.0], [0.0, 1.0, 0.0], [1.0, 0.0, 0.0]])
normals = np.array([[0.0, 0.0, 1.0], [0.0, 0.0, 1.0], [0.0, 0.0, 1.0]])
normals = np.array([[0.0, 0.0, 1.0], [0.0, 0.0, 1.0], [0.0, 0.0, 1.0]])
colors = np.array([green, green, green])
colors = np.array([green, green, green])
v = QtViewer()
v = QtViewer()
v.add_renderer(TriangleRenderer, vertices, normals, colors)
v.add_renderer(TriangleRenderer, vertices, normals, colors)
v.run()

```
v.run()
```


## $\otimes \Theta$ © qtviewer.pyc

If you pass 6 vertices/normals/colors, he will display 2 triangles and so on. As a sidenote, he is very efficient and in fact chemlab.graphics.renderers. TriangleRenderer is used as a backend for a lot of other renderers such as SphereRenderer and CylinderRenderer. If you can reduce a shape in triangles, you can easily write a renderer for it.

In addition to that, TriangleRenderer provides also a method to update vertices, normals and colors. We can demonstrate that from the last example by defining an update function that rotates our triangle:

```
from chemlab.graphics.transformations import rotation_matrix
def update():
    y_axis = np.array([0.0, 1.0, 0.0])
    # We take the [:3,:3] part because rotation_matrix can be used to
    # rotate homogeneous (4D) coordinates.
    rot = rotation_matrix(3.14/32, y_axis)[:3, :3]
    # This is the numpy-efficient way of applying rot to each coordinate
    vertices[:] = np.dot(vertices, rot.T)
    normals[:] = np.dot(vertices, rot.T)
    tr.update_vertices(vertices)
    tr.update_normals(normals)
    v.widget.repaint()
v.schedule(update, 10)
v.run()
```

On this ground we can develop a TetrahedronRenderer based on our TriangleRenderer. To do that we first need to understand how a tetrahedron is made, and how can we define the vertices that make the tetrahedron.

### 2.4.3 Tutorial: TetrahedronRenderer

First of all, we need to have the 4 coordinates that represents a tetrahedron. Without even trying to visualize it, just pick the values straight from Wikipedia:

```
import numpy as np
v1 = np.array([1.0, 0.0, -1.0/np.sqrt(2)])
v2 = np.array([-1.0, 0.0, -1.0/np.sqrt (2)])
v3 = np.array([0.0, 1.0, 1.0/np.sqrt(2)])
v4 = np.array([0.0, -1.0, 1.0/np.sqrt(2)])
```

We can quickly verify if this is correcty by using a PointRenderer:

```
from chemlab.graphics import QtViewer
from chemlab.graphics.renderers import PointRenderer
from chemlab.graphics.colors import black, green, blue, red
colors = [black, green, blue, red]
v = QtViewer()
v.add_renderer(PointRenderer, np.array([v1, v2, v3, v4]), colors)
v.run()
```

We've got 4 boring points that look like they're at the vertices of a tetrahedron. Most importantly we learned that we can use PointRenderer to quickly test shapes.

Now let's define the four triangles ( 12 vertices) that represent a solid tetrahedron. It is good practice to put the triangle vertices in a certain order to estabilish which face is pointing outside and which one is pointing inside for optimization
reasons. The convention is that if we specify 3 triangle vertices in clockwise order this means that the face points outwards from the solid:


We can therefore write our vertices and colors:

```
vertices = np.array([
    v1, v4, v3,
    v3, v4, v2,
    v1, v3, v2,
    v2, v4, v1
])
colors = [green] * 12
```

All is left to do is write the normals to the surface at each vertex. This is easily done by calculating the cross product of the vectors constituting two sides of a triangle, (remember that the normals should point outward):

```
n1 = -np.cross(v4 - v1, v3 - v1)
n2 = -np.cross(v4 - v3, v2 - v3)
n3 = -np.cross(v3 - v1, v2 - v1)
n4 = -np.cross(v4 - v2, v1 - v2)
normals = [n1, n1, n1,
    n2, n2, n2,
    n3, n3, n3,
    n4, n4, n4]
from chemlab.graphics.renderers import TriangleRenderer
```

```
v.add_renderer(TriangleRenderer, vertices, normals, colors)
v.run()
```

Now that we've got the basic shape in place we can code the actual Renderer class to be used directly with the viewer. We will make a renderer that, given a set of coordinates will display many tetrahedra.

We can start by defining a Renderer class, inheriting from AbstractRenderer, the main thing you should notice is that you need an additional argument widget that will be passed when you use the method QtViewer.add_renderer:

```
from chemlab.graphics.renderers import AbstractRenderer
class TetrahedraRenderer(AbstractRenderer):
    def __init__(self, widget, positions):
        super(TetrahedraRenderer, self).__init
```

$\qquad$

``` (widget)
```

The strategy to implement a multiple-tetrahedron renderer will be like this:

- store the triangle vertices, and normals of a single tetrahedra.
- for each position that we pass, translate the vertices of the single tetrahedra and accumulate the obtained vertices in a big array.
- repeat the normals of a single tetrahedra for the number of tetrahedra we're going to render.
- generate the per-vertex colors (green for simplicity)
- create a TriangleRenderer as an attribute and initialize him with the accumulated vertices, normals, and colors
- reimplement the draw method by calling the draw method of our trianglerenderer.

You can see the code in this snippet:

```
class TetrahedraRenderer(AbstractRenderer):
    def __init__(self, widget, positions):
        super(TetrahedraRenderer, self).__init__(widget)
        v1 = np.array([1.0, 0.0, -1.0/np.sqrt (2)])
        v2 = np.array ([-1.0, 0.0, -1.0/np.sqrt (2)])
        v3 = np.array([0.0, 1.0, 1.0/np.sqrt (2)])
        v4 = np.array([0.0, -1.0, 1.0/np.sqrt(2)])
        positions = np.array(positions)
        # Vertices of a single tetrahedra
        self._th_vertices = np.array([
            v1, v4, v3,
            v3, v4, v2,
            v1, v3, v2,
            v2, v4, v1
        ])
        self._th_normals = np.array([
            n1, n1, n1,
            n2, n2, n2,
            n3, n3, n3,
            n4, n4, n4])
        self.n_tetra = len(positions)
        tot_vertices = []
```

```
for pos in positions:
        tot_vertices.extend(self._th_vertices + pos)
# Refer to numpy.tile, this simply repeats the elements
# of the array in an efficient manner.
tot_normals = np.tile(self._th_normals, (self.n_tetra, 1))
tot_colors = [green] * self.n_tetra * 12
# !NOTICE! that we have to pass widget as the first argument
self.tr = TriangleRenderer(widget, tot_vertices,
                                    tot_normals, tot_colors)
def draw(self):
    self.tr.draw()
```

To demostrate let's draw a grid of 125 tetrahedra:

```
positions = []
for }x\mathrm{ in range(5):
    for y in range(5):
        for z in range(5):
            positions.append([float(x)*2, float(y)*2, float(z)*2])
v.add_renderer(TetrahedraRenderer, positions)
v.widget.camera.position = np.array([0.0, 0.0, 20.0])
v.run()
```



If you had any problem with the tutorial or you want to implement other kind of renderers don't exitate to contact me. The full code of this tutorial is in chemlab/examples/tetrahedra_tutorial.py.

### 2.5 Using GROMACS with chemlab

GROMACS is one of the most used packages for molecular simulations, chemlab can provide a modern and intuitive interface to generate input and analyze the output of GROMACS calculations. To illustrate the concepts we'll perform a very simple simulation of liquid water.

### 2.5.1 Installing GROMACS

This depends on the system you're using but I believe that GROMACS is already packaged for most linux distributions and also for other operating systems.

In Ubuntu:

```
$ sudo apt-get install gromacs
```


### 2.5.2 What GROMACS needs

In order to run a minimum simulation GROMACS requires to know some basic properties of the system we intend to simulate. This boils down to basically 3 ingredients:

1. The starting composition and configuration of our system. This is provided by a ".gro" file that contains the atom and molecule types, and their position in space.
2. Information about the connectivity and interactions between our particles. This is called topology file and it is provided by writing a ".top" file.
3. Simulation method. This will require us to give parameters on how we want to make the system evolve. This is provided by an ".mdp" file.
chemlab can help us to build any system that we want and we'll use it to write a ".gro" file. Then we will use chemlab to visualize and analyze the result of the GROMACS simulation.

### 2.5.3 Crafting a box of water

There are many ways to generate a box of water, in our example we will place 512 water molecules in a cubic grid. The advantages of doing that is the simplicity of the approach and the fact that we are naturally avoid any overlap between adiacent molecules.

To generate such a box we will:

1. Create a template water Molecule;
2. Translate this molecule on the grid points
3. Add the molecule to a preinitialized System.
```
import numpy as np
from chemlab.core import Atom, Molecule, System
from chemlab.graphics import display_system
# Spacing between two grid points
spacing = 0.3
# an 8x8x8 grid, for a total of }512\mathrm{ points
grid_size = (8, 8, 8)
# Preallocate the system
# 512 molecules, and 512*3 atoms
s = System.empty(512, 512*3)
# Water template, it contains export informations for gromacs
# more about export later...
water_tmp = Molecule([Atom('O', [0.0, 0.0, 0.0], export={'grotype': 'OW' }),
    Atom('H', [0.1, 0.0, 0.0], export={'grotype': 'HW1'}),
    Atom('H', [-0.03333, 0.09428, 0.0], export={'grotype':'HW2'})],
    export={'groname': 'SOL'})
for a in range(grid_size[0]):
    for b in range(grid_size[1]):
        for c in range(grid_size[2]):
            grid_point = np.array([a,b,c]) * spacing # array operation
            water_tmp.move_to(grid_point)
            s.add(water_tmp)
# Adjust boxsize for periodic boundary conditions
```

```
s.boxsize = 8 * spacing
# Visualize to verify that the system was setup correctly
display_system(s)
```

If you run this, it will display the following window:

## $\otimes \in$ © qtviewer.pyc



Awesome! Now we can write the ".gro" file. Notice that when we defined our water molecule we had to pass an export dictionary to the atoms and molecules. The export mechanism is the way used by chemlab to handle all the variety of different file formats.
In this specific case, gromacs defines its own atom and molecule names in the ".top" file and then matches those to the ".gro" file to infer the bonds and interactions.

## TODO Add picture of the export dictionary

How do we write the .gro file? Since we've already setup our export information, this is an one-liner:

```
from chemlab.io import datafile
datafile("start.gro").write("system", s)
```


### 2.5.4 .top and .mdp files

I'll give you directly the gromacs input files to do an NPT simulation of water, just create those files in your working directory:
topol.top

```
; We simply import ready-made definitions for the molecule type
; SOL and the atom types OW, HW1 and HW2
#include "ffoplsaa.itp"
#include "spce.itp"
[ system ]
Simple box of water
[ molecules ]
SOL 512
run.mdp
integrator = md
dt = 0.001
nsteps=200000
nstxtcout = 100
rlist = 0.9
coulombtype = pme
rcoulomb = 0.9
rvdw = 0.9
dispcorr = enerpres
tcoupl = v-rescale
tc-grps = system
ref_t = 300
tau_t = 0.1
pcoupl = berendsen
compressibility = 4.5e-5
ref_p = 1.0
gen_vel = yes
gen_temp = 300
constraints = all-bonds
```


### 2.5.5 Running the simulation

To run the simulation with gromacs we have to do two steps:

1. Generate a parameter input, this will check that our input make sense before running the simulation:
```
grompp_d -f run.mdp -c start.gro -p topol.top
```

This will generate a bunch of files in your working directory.
2. Now we run the simulation, in the meantime, go grab coffee:

```
mdrun_d -v
```

This will take a while depending on your machine. If you are not a coffee drinker, don't worry, you can stop the simulation by pressing Ctrl-C. The good news is that chemlab can read files from partial runs!

### 2.5.6 Viewing the results, the command-line way

To quickly preview trajectories and system energies you can use the script chemlab included in the distribution in scripts/chemlab.
GROMACS can store the trajectory (in the form of atomic coordinates) in the .xtc file. To play the trajectory you can use the command:

```
$ chemlab view start.gro --traj traj.xtc
```

Note: the nstxtcout $=100$ option in the mdp file sets the output frequency in the xtc file

You may also be interested to look at some other properties, such as the potential energy, pressure, temperature and density. This information is written by GROMACS in the ".edr" file. You can use the chemlab script to view that:

```
$ chemlab gromacs ener.edr -e Pressure
$ chemlab gromacs ener.edr -e Temperature
$ chemlab gromacs ener.edr -e Potential
$ chemlab gromacs ener.edr -e Density
```

Warning: The chemlab gromacs command is a work in progress, the syntax may change in the future.

It is also possible to view and get the results by directly reading the files and have direct access to the xtc coordinates and the energy stored in the edr files. Take a look at the reference for chemlab.io.handlers.XtcIO and chemlab.io.handlers.EdrIO.

The tutorial is over, if you have any problem or want to know more, just drop an email on the mailing list pythonchemlab@googlegroups.com or file an issue on github https://github.com/chemlab/chemlab/issues

## REFERENCE DOCUMENTATION

## Packages

## 3.1 chemlab.core

This package contains general functions and the most basic data containers such as Atom, Molecule and System. Plus some utility functions to create and edit common Systems.

### 3.1.1 The Atom class

class chemlab. core. Atom (type, $r$, export=None)
Create an Atom instance. Atom is a generic container for particle data.

## See Also:

Atoms, Molecules and Systems

## Parameters

type: str Atomic symbol
r: \{np.ndarray [3], list [3]\} Atomic coordinates in nm
export: dict, optional Additional export information.

## Example

>>> Atom('H', [0.0, 0.0, 0.0])
In this example we're attaching additional data to the Atom instance. The chemlab.io.GroIO can use this information when exporting in the gro format.
$\ggg \operatorname{Atom}\left({ }^{\prime} \mathrm{H}^{\prime},[0.0,0.0,0.0],\left\{^{\prime} \mathrm{groname}\right.\right.$ : 'HW1'\})
type
Type str
The atomic symbol e.g. $A r, H, O$.
$r$
Type np.ndarray(3) of floats
Atomic position in nm .
mass
Type float
Mass in atomic mass units.
export
Type dict
Dictionary containing additional information when importing data from various formats.

## See Also:

```
chemlab.io.gro.GroIO
```

fields
Type tuple
This is a class attribute. The list of attributes that constitute the Atom. This is used to iterate over the Atom attributes at runtime.
copy ()
Return a copy of the original Atom.
classmethod from_fields (**kwargs)
Create an Atom instance from a set of fields. This is a slightly faster way to initialize an Atom.

## Example

>>> Atom.from_fields(type='Ar',
r_array=np.array ([0.0, 0.0, 0.0]),
mass=39.948,
export $=\{ \}$ )

### 3.1.2 The Molecule class

class chemlab. core. Molecule (atoms, export=None)
Molecule is a data container for a set of $N$ Atoms.
See Also:
Atoms, Molecules and Systems

## Parameters

atoms: list of Atom instances Atoms that constitute the Molecule. Beware that the data gets copied and subsequend changes in the Atom instances will not reflect in the Molecule.
export: dict, optional Export information for the Molecule

## r_array

Type np.ndarray((N,3), dtype=float)
Derived from Atom
An array with the coordinates of each Atom.
type_array \{numpy.array[N] of str\}
Type np.ndarray(N, dtype=str)
Derived from Atom

An array containing the chemical symbols of the constituent atoms.

## m_array

Type np.ndarray(N, dtype=float)
Derived from Atom
Array of masses.

```
atom_export_array
```

Type np.ndarray(N, dtype=object) array of dicts

## Derived from Atom

Array of Atom.export dicts.

## n_atoms

Type int
Number of atoms present in the molecule.

## export

Type dict
Export information for the whole Molecule.

## mass

Type float
Mass of the whole molecule in amu.

```
center_of_mass
```

Type float
geometric_center
Type float

## formula

Type str
The brute formula of the Molecule. i.e. " H 2 O "

## copy ()

Return a copy of the molecule instance
classmethod from_arrays (**kwargs)
Create a Molecule from a set of Atom-derived arrays. Please refer to the Molecule Atom Derived At-
tributes. Only r_array and type_array are absolutely required, the others are optional.
>>> Molecule.from_arrays(r_array=np.array([[0.0, 0.0, 0.0],
[1.0, 0.0, 0.0],
[0.0, 1.0, 0.0]]),
type_array=np.array(['O', 'H', 'H']))
molecule (H2O)
Initializing a molecule in this way can be much faster than the default initialization method.

```
move_to (r)
```

Translate the molecule to a new position $r$.

### 3.1.3 The System class

class chemlab.core.System(molecules, boxsize=None, box_vectors=None)
A data structure containing information of a set of $N$ Molecules and $N A$ Atoms.

## Parameters

molecules: list of molecules Molecules that constitute the System. The data gets copied to the System, subsequent changes to the Molecule are not reflected in the System.
boxsize: float, optional The size of one side of a cubic box containing the system. Periodic boxes are common in molecular dynamics.
box_vectors: np.ndarray $((3,3)$, dtype=float $)$, optional You can specify the periodic box of another shape by giving 3 box vectors instead.

The System class has attributes derived both from the Molecule and the Atom class.

## r_array

Type np.ndarray((NA, 3), dtype=float)
Derived from Atom
Atomic coordinates.
m_array
Type np.ndarray(NA, dtype=float)
Derived from Atom
Atomic masses.
type_array
Type np.ndarray(NA, dtype=object) array of str
Derived from Atom
Array of all the atomic symbols. It can be used to select certain atoms in a system.

## Example

Suppose you have a box of water defined by the System $s$, to select all oxygen atoms you can use the numpy selection rules:

```
>>> oxygens = s.type_array == ' O'
# oxygens is an array of booleans of length NA where
# each True corresponds to an oxygen atom i.e:
# [True, False, False, True, False, False]
```

You can use the oxygen array to access other properties:

```
>>> o_coordinates = s.r_array[oxygens]
>>> o_indices = np.arange(s.n_atoms) [oxygens]
```

atom_export_array

Type np.ndarray(NA, dtype=object) array of dict
Derived from Atom
mol_export
Type np.ndarray( N , dtype=object) array of dict

## Derived from Molecule

Export information relative to the molecule.

## box_vectors

Type np.ndarray((3,3), dtype=float) or None
Those are the three vectors that define of the periodic box of the system.

## Example

To define an orthorombic box of size $3,4,5 \mathrm{~nm}$ :

```
>>> np.array([[3.0, 0.0, 0.0], # Vector a
    [0.0, 4.0, 0.0], # Vector b
    [0.0, 0.0, 5.0]]) # Vector c
```


## boxsize, optional

Type float or None
Defines the size of the periodic box. Boxes defined with boxsize are cubic. Changes in boxsize are reflected in box.
n_mol
Type int
Number of molecules.
n_atoms
Type int
Number of atoms.
mol_indices
Type np.ndarray(N, dtype=int)
Gives the starting index for each molecule in the atomic arrays. For example, in a System comprised of 3 water molecules:

```
>>> s.mol_indices
[0, 3, 6]
>>> s.type_array[0:3]
['O', 'H', 'H']
```

This array is used internally to retrieve all the Molecule derived data. Do not modify unless you know what you're doing.
mol_n_atoms
Type np.ndarray(N, dtype=int)
Contains the number of atoms present in each molecule
add (mol)
Add the molecule mol to a System initialized through System. empty.
classmethod empty ( $n \_m o l, n \_$atoms, boxsize $=$None, box_vectors $=$None)
Initialize an empty System containing $n \_m o l$ Molecules and $n \_a t o m s$ Atoms. The molecules can be added by using the method add ().

## Example

How to initialize a system of 3 water molecules:
s = System.empty (3, 9)
for i in range(3): s.add (water)
classmethod from_arrays (**kwargs)
Initialize a System from its constituent arrays. It is the fastest way to initialize a System, well suited for reading one or more big System from data files.

## Parameters

The following parameters are required:
-r_array
-type_array
-mol_indices
To further speed up the initialization process you optionally pass the other derived arrays:
-m_array
-mol_n_atoms
-atom_export_array
-mol_export

## Example

Our classic example of 3 water molecules:

```
r_array = np.random.random((3, 9))
type_array = ['O', 'H', 'H', 'O', 'H', 'H', 'O', 'H', 'H' ]
mol_indices = [0, 3, 6]
System.from_arrays(r_array=r_array, type_array=type_array,
    mol_indices=mol_indices)
```

get_molecule (index)

Get the Molecule instance corresponding to the molecule at index.
This method is useful to use Molecule properties that are generated each time, such as Molecule.formula and Molecule.center_of_mass
mol_to_atom_indices (indices)
Given the indices over molecules, return the indices over atoms.
sort ()
Sort the molecules in the system according to their brute formula.

### 3.1.4 Routines to manipulate Systems

chemlab.core.subsystem_from_molecules (orig, selection)
Create a system from the orig system by picking the molecules specified in selection.

## Parameters

orig: System The system from where to extract the subsystem
selection: np.ndarray of int or np.ndarray( $\mathbf{N}$ ) of bool selection can be either a list of molecular indices to select or a boolean array whose elements are True in correspondence of the molecules to select (it is usually the result of a numpy comparison operation).

## Example

In this example we can see how to select the molecules whose center of mass that is in the region of space $\mathrm{x}>$ 0.1:

```
s = System(...) # It is a set of 10 water molecules
select = []
for i range(s.n_mol):
    if s.get_molecule(i).center_of_mass[0] > 0.1:
        select.append(i)
subs = subsystem_from_molecules(s, np.ndarray(select))
```

Note: The API for operating on molecules is not yet fully developed. In the future there will be smarter ways to filter molecule attributes instead of looping and using System.get_molecule.
chemlab.core.subsystem_from_atoms (orig, selection)
Generate a subsystem containing the atoms specified by selection. If an atom belongs to a molecule, the whole molecule is selected.

## Example

This function can be useful when selecting a part of a system based on positions. For example, in this snippet you can see how to select the part of the system (a set of molecules) whose $x$ coordinates is bigger than 1.0 nm :
$s=$ System(...)
subs = subsystem_from_atoms(s.r_array[0,:] > 1.0)

## Parameters

orig: System Original system.
selection: np.ndarray of int or np.ndarray(NA) of bool A boolean array that is True when the ith atom has to be selected or a set of atomic indices to be included.

Returns:
A new System instance.
chemlab.core.merge_systems (sysa, sysb, bounding=0.0)
Generate a system by overlapping sysa and sysb. Overlapping molecules are removed by cutting the molecules of sysa that are found inside the space defined by sysb.box_vectors.

## Parameters

sysa: System First system
sysb: System Second system
bounding: float Extra space used when cutting molecules in sysa to make space for sysb.

### 3.1.5 Routines to create Systems

chemlab.core.crystal (positions, molecules, group, cellpar=[1.0, 1.0, 1.0, 90, 90, 90], repetitions $=[1$, 1, 1])
Build a crystal from atomic positions, space group and cell parameters.

## Parameters

positions: list of coordinates A list of the atomic positions
molecules: list of Molecule The molecules corresponding to the positions, the molecule will be translated in all the equivalent positions.
group: int $\mid$ str Space group given either as its number in International Tables or as its Hermann-Mauguin symbol.
repetitions: Repetition of the unit cell in each direction
cellpar: Unit cell parameters
This function was taken and adapted from the spacegroup module found in ASE.
The module spacegroup module was originally developed by Jesper Frills.

## 3.2 chemlab.io

This package contains utilities to read, write a variety of chemical file formats.

```
chemlab.io.datafile (filename, format=None)
```

Initialize the appropriate IOHandler for a given file extension or file format.
The datafile function can be conveniently used to quickly read or write data in a certain format:

```
>>> handler = datafile("molecule.pdb")
>>> mol = handler.read("molecule")
# You can also use this shortcut
>>> mol = datafile("molecule.pdb").read("molecule")
```


## Parameters

filename: str Path of the file to open.
format: str or None When different from None, can be used to specify a format identifier for that file. It should be used when the extension is ambiguous or when there isn't a specified filename. See below for a list of the formats supported by chemlab.

### 3.2.1 Supported File Formats

edr: GROMACS energy file
Extension .edr
class chemlab.io.handlers.EdrIO (filename)
EDR files store per-frame information for gromacs trajectories. Examples of properties obtainable from EDR files are:

- temperature
- pressure
- density
- potential energy
- total energy
- etc.

To know which quantities are available in a certain edr file you can access the feature 'avail quantity':

```
>>> datafile('ener.edr').read('avail quantities')
['Temperature', 'Pressure', 'Potential', ...]
```

To get the frame information for a certain quantity you may use the "quantity" property passing the quantity as additional argument, this will return two arrays, the first is an array of times in ps and the second are the corrisponding quantities:
$\ggg$ time, temp $=$ datafile('ener.edr').read('quantity', 'Temperature')

## Features

read ("quantity", quant)
Return an array of times in ps and the corresponding quantities at that times.
read ("avail quantities")
Return the available quantities in the file.
read ("units")
Return a dictionary where the keys are the quantities and the value are the units in which that quantity is expressed.
read("frames")
Return a dictionary where the keys are the quantities and the value are the units in which that quantity is expressed.

## gro: GROMACS coordinate files

Extension .gro
class chemlab.io.handlers. GromacsIO (filename)
Handler for .gro file format. Example at http://manual.gromacs.org/online/gro.html.

## Features

read ("system")
Read the gro file and return a System instance. It also add the following exporting informations:
groname: The molecule names indicated in the gro file. This is added to each entry of System.mol_export.
grotype: The atom names as indicated in the gro file. This is added to each entry of System.atom_export_array.
write ("system", syst)
Write the syst System instance to disk. The export arrays should have the groname and grotype entries as specified in the read ("system") method.

## Example

Export informations for water SPC:
Molecule([
Atom('0', $[0.0,0.0,0.0]$, export=\{'grotype': 'ow' \}),
Atom('H', [0.1, 0.0, 0.0], export=\{'grotype': 'HW1'\}),
Atom('H', [-0.033, 0.094, 0.0],export=\{'grotype':'HW2'\})],
export $=\{$ 'groname': 'SOL' \})

## pdb: Protein Data Bank format

Extension .pdb
class chemlab.io.handlers.PdbIO (filename)
Starting implementation of a PDB file parser.

Note: This handler was developed as an example. If you like to contribute by implementing it you can write an email to the mailing list.

## Features

read ("molecule")
Read the pdb file as a huge Molecule.
read ("system")
Read the pdb file as a System, where each residue is a molecule.

## xtc: GROMACS compressed trajectory file

Extension .xtc
class chemlab.io.handlers.XtcIO (filename)
Reader for GROMACS XTC trajectories.

## Features

read ("trajectory")
Read the frames from the file and returns the trajectory as an array of times and an array of atomic positions:

```
>>> times, positions = datafile('traj.xtc').read('trajectory')
[t1, t2, t3], [pos1, pos2, ...]
```

positions is a list of np. ndarray (n_atoms, 3 ).
xyz: XYZ coordinate format

```
Extension .xyz
class chemlab.io.handlers.XyzIO (filename)
The XYZ format is described in this wikipedia article http://en.wikipedia.org/wiki/XYZ_file_format.
```


## Features

read ("molecule")
Read the coordinates in a Molecule instance.
write ("molecule", mol)
Writes a Molecule instance in the XYZ format.

### 3.2.2 The class IOHandler

class chemlab.io.handlers.IOHandler (filename)
Generic base class for file readers and writers. The initialization function takes filename as input and sets the instance attribute filename.

Subclasses can extend the methods $\qquad$ , read and write to implement their reading and writing routines.

## Attributes

filename
can_read
Type list of str
A list of features that the handler can read.
can_write
Type list of str
A list of features that IOHandler can write.
check_feature (feature, readwrite)
Check if the feature is supported in the handler and raise an exception otherwise.

## Parameters

feature: str Identifier for a certain feature.
readwrite: "read" or "write" Check if the feature is available for reading or writing.
read (feature, *args, **kwargs)
Read and return the feature feature. It should raise an ValueError if the feature is not present in the handler can_read attribute, use the method IOHandler.check_feature () to provide this behaviour.

Certain features may require additional arguments, and it is possible to pass those as well.

## Example

Subclasses can reimplement this method to add functionality:

```
    class XyzIO(IOHandler):
        can_read = ['molecule' ]
        def read(self, feature, *args, **kwargs):
        self.check_feature(feature, "read")
        if feature == 'molecule':
            # Do stuff
            return geom
```

write (feature, value, *args, **kwargs)
Same as read (). You have to pass also a value to write and you may pass any additional arguments.

## Example

class XyzIO(IOHandler):
can_write $=$ ['molecule']
def write(self, feature, value, *args, **kwargs):
self.check_feature(feature, "write")
if feature $==$ 'molecule' :
\# Do stuff
return geom

## 3.3 chemlab.graphics

This package contains the features related to the graphic capabilities of chemlab.

### 3.3.1 Ready to use functions

The two following functions are a convenient way to quickly display and animate a System in chemlab.
chemlab.graphics.display_system (sys)
Display the system sys with the default viewer.
chemlab.graphics.display_trajectory (sys, times, coords_list)
Display the the system sys and instrument the trajectory viewer with frames information.


Parameters
sys: System The system to be displayed
times: np.ndarray(NFRAMES, dtype=float) The time corresponding to each frame. This is used only for feedback reasons.
coords_list: list of np.ndarray((NFRAMES, 3), dtype=float) Atomic coordinates at each frame.

### 3.3.2 Builtin 3D viewers

## The QtViewer class

class chemlab.graphics.QtViewer
Bases: PySide.QtGui.QMainWindow
View objects in space.
This class can be used to build your own visualization routines by attaching renderers and uis to it.

## See Also:

## Graphics and Visualization

## Example

In this example we can draw 3 blue dots and some overlay text:

```
from chemlab.graphics import QtViewer
from chemlab.graphics.renderers import PointRenderer
from chemlab.graphics.uis import TextUI
vertices = [[0.0, 0.0, 0.0], [0.0, 1.0, 0.0], [2.0, 0.0, 0.0]]
blue = (0, 255, 255, 255)
colors = [blue,] * 3
v = QtViewer()
pr = v.add_renderer(PointRenderer, vertices, colors)
tu = v.add_ui(TextUI, 100, 100, 'Hello, world!')
v.run()
add_renderer (klass, *args, **kwargs)
```

Add a renderer to the current scene.

## Parameter

klass: renderer class The renderer class to be added
args, kwargs: Arguments used by the renderer constructor, except for the widget argument.
See Also:
A.bstractRenderer

## Return

The istantiated renderer. You should keep the return value to be able to update the renderer at run-time.
add_ui (klass, *args, **kwargs)
Add an UI element for the current scene. The approach is the same as renderers.
Warning: The UI api is not yet finalized
run()
Display the QtViewer
schedule (callback, timeout=100)
Schedule a function to be called repeated time.
This method can be used to perform animations.

## Example

This is a typical way to perform an animation, just:

```
from chemlab.graphics import QtViewer
from chemlab.graphics.renderers import SphereRenderer
v = QtViewer()
sr = v.add_renderer(SphereRenderer, centers, radii, colors)
def update():
    # calculate new_positions
    sr.update_positions(new_positions)
        v.widget.repaint()
v.schedule(update)
v.run()
```

Note: remember to call QtViewer.widget.repaint() each once you want to update the display.

## Parameters

callback: function() A function that takes no arguments that will be called at intervals.
timeout: int Time in milliseconds between calls of the callback function.
Returns a QTimer, to stop the animation you can use Qtimer.stop

## The QtTrajectoryViewer class

```
class chemlab.graphics.QtTrajectoryViewer
```

Bases: PySide.QtGui.QMainWindow
Interface for viewing trajectory.
It provides interface elements to play/pause and set the speed of the animation.

## Example

To set up a QtTrajectoryViewer you have to add renderers to the scene, set the number of frames present in the animation by calling ;py:meth:~chemlab.graphics.QtTrajectoryViewer.set_ticks and define an update function.

Below is an example taken from the function chemlab.graphics.display_trajectory():

```
from chemlab.graphics import QtTrajectoryViewer
# sys = some System
# coords_list = some list of atomic coordinates
v = QtTrajectoryViewer()
sr = v.add_renderer(AtomRenderer, sys.r_array, sys.type_array,
    backend='impostors')
br = v.add_renderer(BoxRenderer, sys.box_vectors)
```

```
v.set_ticks(len(coords_list))
@v.update_function
def on_update(index):
    sr.update_positions(coords_list[index])
    br.update(sys.box_vectors)
    v.set_text(format_time(times[index]))
    v.widget.repaint()
v.run()
```

Warning: Use with caution, the API for this element is not fully stabilized and may be subject to change.
add_renderer (klass, *args, **kwargs)
The behaviour of this function is the same as chemlab.graphics.QtViewer.add_renderer().

```
add_ui (klass, *args, **kwargs)
```

Add an UI element for the current scene. The approach is the same as renderers.
Warning: The UI api is not yet finalized

```
set_text (text)
```

Update the time indicator in the interface.
set_ticks (number)
Set the number of frames to animate.
update_function (func)
Set the function to be called when it's time to display a frame.
func should be a function that takes one integer argument that represents the frame that has to be played:
def func(index):
\# Update the renderers to match the
\# current animation index

### 3.3.3 Renderers and Uls

## List of available renderers

## Interfaces

class chemlab.graphics.renderers.AbstractRenderer (widget, *args, **kwargs)
AbstractRenderer is the standard interface for renderers. Each renderer have to implement an initialization function __init__ and a draw method to do the actual drawing using OpenGL or by using other, more basic, renderers.

Usually the renderers have also some custom functions that they use to update themselves. For example a SphereRenderer implements the function update_positions to move the spheres around without having to regenerate all of the other properties.

See Also:
Graphics and Visualization for a tutorial on how to develop a simple renderer.

## Parameters

widget: chemlab.graphics.QChemlabWidget The parent QChemlabWidget. Renderers can use the widget to access the camera, lights, and other informations.
args, kwargs: Any other argument that they may use.
draw ()
Generic drawing function to be implemented by the subclasses.
class chemlab.graphics.renderers.ShaderBaseRenderer (widget, vertex, fragment)
Bases: chemlab.graphics.renderers.base.AbstractRenderer
Instruments OpenGL with a vertex and a fragment shader.
This renderer automatically binds light and camera information. Subclasses should not reimplement the draw method but the draw_vertices method where you can bind and draw the objects.

## Parameters

widget: The parent QChemlabWidget
vertex: str Vertex program as a string
fragment: str Fragment program as a string
draw_vertices()
Method to be reimplemented by the subclasses.
class chemlab.graphics.renderers.DefaultRenderer (widget)
Bases: chemlab.graphics.renderers.base.ShaderBaseRenderer
Same as ShaderBaseRenderer with the default shaders.
You can find the shaders in chemlab/graphics/renderers/shaders/ under the names of default_persp.vert and default_persp.frag.
draw_vertices()
Subclasses should reimplement this method.

## SphereRenderer

class chemlab.graphics.renderers.SphereRenderer (widget, poslist, radiuslist, colorlist)
Renders a set of spheres.
The method used by this renderer is approximating a sphere by using triangles. While this is reasonably fast, for best performance and animation you should use SphereImpostorRenderer


## Parameters

widget: The parent QChemlabWidget
poslist: np.ndarray((NSPHERES, 3), dytpe=float) A position array. While there aren't dimensions, in the context of chemlab 1 unit of space equals 1 nm .
radiuslist: np.ndarray(NSPHERES, dtype=float) An array with the radius of each sphere.
colorlist: np.ndarray(NSPHERES, 4) or list of tuples An array with the color of each sphere. Suitable colors are those found in chemlab.graphics.colors or any tuple with values (r, g, b, a) in the range [0, 255]
update_positions (positions)
Update the sphere positions.

## SpherelmpostorRenderer

class chemlab.graphics.renderers.SphereImpostorRenderer (viewer, poslist, radiuslist, colorlist)
The interface is identical to SphereRenderer but uses a different drawing method.
The spheres are squares that always face the user. Each point of the sphere, along with the lighting, is calculated in the fragment shader, resulting in a perfect sphere.

SphereImpostorRenderer is an extremely fast rendering method, it is perfect for rendering a lot of spheres ( $>$ 50000) and for animations.


## AtomRenderer

```
class chemlab.graphics.renderers.AtomRenderer(widget, r_array, type_array,
                                    backend="impostors",
                                    color_scheme=colors.default_atom_map,
                                    radii_map=vdw_dict)
```

Render atoms by using different rendering methods.

## Parameters

widget: The parent QChemlabWidget
r_array: np.ndarray((NATOMS, 3), dtype=float) The atomic coordinate array
type_array: np.ndarray((NATOMS, 3), dtype=object) An array containing all the atomic symbols like $A r$, $H, O$. If the atomic type is unknown, use the $X x$ symbol.
backend: "impostors" | "polygons" | "points" You can choose the rendering method between the sphere impostors, polygonal sphere and points.
color_scheme: dict, should contain the ' $\mathbf{X x}$ ' key,value pair A dictionary mapping atom types to colors. By default it is the color scheme provided by chemlab.graphics.colors.default_atom_map. The ' Xx ' symbol value is taken as the default color.
radii_map: dict, should contain the ' $\mathbf{X x}$ ' key, value pair. A dictionary mapping atom types to radii. The default is the mapping contained in chemlab.data.vdw.vdw_dict
update_positions (r_array)
Update the atomic positions

## PointRenderer

class chemlab.graphics.renderers.PointRenderer (widget, positions, colors)
Render colored points.

## Parameters

widget: The parent QChemlabWidget
positons: np.ndarray((NPOINTS, 3), dtype=np.float32) Positions of the points to draw.
colors: np.ndarray((NPOINTS, 4), dtype=np.uint8) or list of tuples Color of each point in the (r,g,b,a) format in the interval $[0,255]$
update_colors (colors) Update the colors
update_positions (vertices)
Update the point positions

TriangleRenderer
class chemlab.graphics.renderers.TriangleRenderer (widget, vertices, normals, colors)
Renders an array of triangles.
A lot of renderers are built on this, for example SphereRenderer. The implementation is relatively fast since it's based on VertexBuffers.


## Parameters

widget: The parent QChemlabWidget
vertices: np.ndarray((NTRIANGLES*3, 3), dtype=float) The triangle vertices, keeping in mind the unwinding order. If the face of the triangle is pointing outwards, the vertices should be provided in clokckwise order.
normals: np.ndarray((NTRIANGLES*3, 3), dtype=float) The normals to each of the triangle vertices, used for lighting calculations.
colors: np.ndarray((NTRIANGLES*3, 4), dtype=np.uint8) Color for each of the vertices in (r,g,b,a) values in the interval $[0,255]$
update_colors (colors) Update the triangle colors.
update_normals (normals)
Update the triangle normals.
update_vertices (vertices)
Update the triangle vertices.

## BoxRenderer

class chemlab.graphics.renderers.BoxRenderer (widget, vectors, color=( $0,0,0,255$ ) )
Used to render a black wireframed box starting from the origin.

## Parameters

widget: The parent QChemlabWidget
vectors: np.ndarray $(\mathbf{( 3 , 3 )}$, dtype=float) The three vectors representing the sides of the box.
color: 4 int tuple $r, g, b, a$ color in the range $[0,255]$
update (vectors)
Update the box vectors.

## LineRenderer

class chemlab.graphics.renderers.LineRenderer (widget, startends, colors)
Render a set of lines.

## Parameters

widget: The parent QChemlabWidget
startends: np.ndarray((NLINES, 2, 3), dtype=float) Start and end position of each line in the form of an array:

```
    s1 = [0.0, 0.0, 0.0]
```

    startends = [[s1, e1], [s2, e2], ..]
    colors: np.ndarray((NLINES, 2, 4), dtype=np.uint8) The corresponding color of each extrema of each line.
update_colors (colors)
Update the colors
update_positions (vertices)
Update the line positions

## CylinderRenderer

class chemlab.graphics.renderers.CylinderRenderer (widget, bounds, radii, colors)
Renders a set of cylinders.
The API is quite similar to LineRenderer
Note: The current implementation is a bit slow and can't render a lot of cylinders ( $\sim 1000$ ) fast enough, we expect to optimize it in the near future.


## Parameters

widget: The parent QChemlabWidget
bounds: np.ndarray((NCYL, 2, 3), dtype=float) Start and end points of the cylinder.
colors: np.ndarray((NYCL, 4), dtype=np.uint8) The color for each cylinder.
update_bounds (bounds)
Update cylinders start and end positions

## List of available Uls

TextUI
class chemlab.graphics.uis.TextUI (widget, $x, y$, text)
Display an overlay text at the point $x, y$ in screen space.
Warning: The API for this element and uis in general is not yet finalized.

## Parameters

widget: The parent QChemlabWidget
$\mathbf{x}, \mathbf{y}$ : int Points in screen coordinates. $x$ pixels from left, $y$ pixels from top.
text: str String of text to display

### 3.3.4 Low level widgets

## The QChemlabWidget class

This is the molecular viewer widget used by chemlab.
class chemlab.graphics.QChemlabWidget (parent=None)
Extensible and modular OpenGL widget developed using the Qt (PySide) Framework. This widget can be used in other PySide programs.
The widget by itself doesn't draw anything, it delegates the writing task to external components called 'renderers' that expose the interface found in AbstractRenderer. Renderers are responsible for drawing objects in space and have access to their parent widget.
To attach a renderer to QChemlabWidget you can simply append it to the renderers attribute:

```
from chemlab.graphics import QChemlabWidget
from chemlab.graphics.renderers import SphereRenderer
widget = QChemlabWidget()
widget.renderers.append(SphereRenderer(widget, ...))
```

You can also add other elements for the scene such as user interface elements, for example some text. This is done in a way similar to renderers:

```
from chemlab.graphics import QChemlabWidget
from chemlab.graphics.uis import TextUI
widget = QChemlabWidget()
widget.uis.append(TextUI(widget, 200, 200, 'Hello, world!'))
```

Warning: At this point there is only one ui element available. PySide provides a lot of UI elements so there's the possibility that UI elements will be converted into renderers.

QChemlabWidget has its own mouse gestures:
-Left Mouse Drag: Orbit the scene;
-Right Mouse Drag: Pan the scene;
-Wheel: Zoom the scene.

```
renderers
```

Type list of AbstractRenderer subclasses
It is a list containing the active renderers. QChemlabWidget will call their draw method when appropriate.

## camera

Type Camera
The camera encapsulates our viewpoint on the world. That is where is our position and our orientation. You should use on the camera to rotate, move, or zoom the scene.

## light_dir

Type np.ndarray(3, dtype=float)
Default np.arrray([0.0, 0.0, 1.0])
The light direction in camera space. Assume you are in the space looking at a certain point, your position is the origin. now imagine you have a lamp in your hand. light_dir is the direction this lamp is pointing. And if you move, jump, or rotate, the lamp will move with you.

Note: With the current lighting mode there isn't a "light position". The light is assumed to be infinitely distant and light rays are all parallel to the light direction.

## background_color

Type tuple
Default $(255,255,255,255)$ white
A 4-element ( $\mathrm{r}, \mathrm{g}, \mathrm{b}, \mathrm{a}$ ) tuple that specity the background color. Values for $\mathrm{r}, \mathrm{g}, \mathrm{b}, \mathrm{a}$ are in the range [0, 255]. You can use the colors contained in chemlab.graphics.colors.
paintGL()
GL function called each time a frame is drawn

## The Camera class

class chemlab.graphics.camera. Camera
Our viewpoint on the 3D world. The Camera class can be used to access and modify from which point we're seeing the scene.

It also handle the projection matrix (the matrix we apply to project 3 d points onto our 2 d screen).
position
Type np.ndarray(3, float)
Default np.array ([0.0, 0.0, 5.0])
The position of the camera. You can modify this attribute to move the camera in various directions using the absoule $\mathrm{x}, \mathrm{y}$ and z coordinates.
$a, b, c$
Type np.ndarray(3), np.ndarray(3), np.ndarray(3) dtype=float
Default a: np.ndarray([1.0, 0.0, 0.0]) b: np.ndarray([0.0, 1.0, 0.0]) c: np.ndarray ([0.0, 0.0, -1.0])

Those three vectors represent the camera orientation. The a vector points to our right, the $b$ points upwards and $c$ in front of us.
By default the camera points in the negative z -axis direction.
pivot
Type np.ndarray(3, dtype=float)
Default np.array([0.0, 0.0, 0.0])
The point we will orbit around by using Camera.orbit_x() and Camera.orbit_y().
matrix

Type np.ndarray((4,4), dtype=float)
Camera matrix, it contains the rotations and translations needed to transform the world according to the camera position. It is generated from the a, "b","cc" vectors.
projection
Type np.ndarray((4, 4),dtype=float)
Projection matrix, generated from the projection parameters.
z_near, z_far
Type float, float
Near and far clipping planes. For more info refer to: http://www.lighthouse3d.com/tutorials/view-frustumculling/
scale
Type float
Scale factor used to generate the projection matrix.
aspectratio
Type float
Aspect ratio for the projection matrix, this should be adapted when the application window is resized.
mouse_rotate $(d x, d y)$
Convenience function to implement the mouse rotation by giving two displacements in the x and y directions.
mouse_zoom (inc)
Convenience function to implement a zoom function.
This is achieved by moving Camera.position in the direction of the Camera.c vector.
orbit_x (angle)
Same as orbit_y () but the axis of rotation is the Camera.b vector.
We rotate around the point like if we sit on the side of a salad spinner.

```
orbit_y(angle)
```

Orbit around the point Camera.pivot by the angle angle expressed in radians. The axis of rotation is the camera "right" vector, Camera.a.
In practice, we move around a point like if we were on a Ferris wheel.
unproject ( $x, y, z=-1.0$ )
Receive x and y as screen coordinates and returns a point in world coordinates.
This function comes in handy each time we have to convert a 2 d mouse click to a 3 d point in our space.

## Parameters

x: float in the interval $[\mathbf{- 1 . 0}, \mathbf{1 . 0}]$ Horizontal coordinate, -1.0 is leftmost, 1.0 is rightmost.
$\mathbf{y}$ : float in the interval $[\mathbf{1 . 0}, \mathbf{1 . 0}]$ Vertical coordinate, -1.0 is down, 1.0 is up.
z: float in the interval [1.0, $\mathbf{- 1 . 0}$ ] Depth, -1.0 is the near plane, that is exactly behind our screen, 1.0 is the far clipping plane.

Return type np.ndarray(3,dtype=float)
Returns The point in 3d coordinates (world coordinates).

### 3.3.5 Transformations

Homogeneous Transformation Matrices and Quaternions.
A library for calculating $4 \times 4$ matrices for translating, rotating, reflecting, scaling, shearing, projecting, orthogonalizing, and superimposing arrays of 3D homogeneous coordinates as well as for converting between rotation matrices, Euler angles, and quaternions. Also includes an Arcball control object and functions to decompose transformation matrices.

Authors Christoph Gohlke, Laboratory for Fluorescence Dynamics, University of California, Irvine
Version 2012.10.14

## Requirements

- CPython 2.7 or 3.2
- Numpy 1.6
- transformations.c 2012.01.01 (optional implementation of some functions in C)


## Notes

The API is not stable yet and is expected to change between revisions.
This Python code is not optimized for speed. Refer to the transformations.c module for a faster implementation of some functions.

Documentation in HTML format can be generated with epydoc.
Matrices (M) can be inverted using numpy.linalg.inv(M), be concatenated using numpy.dot(M0, M1), or transform homogeneous coordinate arrays (v) using numpy. $\operatorname{dot}(\mathrm{M}, \mathrm{v})$ for shape $(4, *)$ column vectors, respectively numpy.dot(v, M.T) for shape (*, 4) row vectors ("array of points").

This module follows the "column vectors on the right" and "row major storage" ( C contiguous) conventions. The translation components are in the right column of the transformation matrix, i.e. $\mathrm{M}[: 3,3]$. The transpose of the transformation matrices may have to be used to interface with other graphics systems, e.g. with OpenGL's glMultMatrixd(). See also [16].

Calculations are carried out with numpy.float64 precision.
Vector, point, quaternion, and matrix function arguments are expected to be "array like", i.e. tuple, list, or numpy arrays.
Return types are numpy arrays unless specified otherwise.
Angles are in radians unless specified otherwise.
Quaternions $w+i x+j y+k z$ are represented as $[w, x, y, z]$.
A triple of Euler angles can be applied/interpreted in 24 ways, which can be specified using a 4 character string or encoded 4-tuple:

Axes 4-string: e.g. 'sxyz' or 'ryxy'

- first character : rotations are applied to 's'tatic or 'r'otating frame
- remaining characters : successive rotation axis ' $x$ ', ' $y$ ', or ' $z$ '

Axes 4-tuple: e.g. $(0,0,0,0)$ or $(1,1,1,1)$

- inner axis: code of axis (' $x$ ': 0, ' $y$ ': $1,{ }^{\prime} z$ ':2) of rightmost matrix.
- parity : even ( 0 ) if inner axis ' $x$ ' is followed by ' $y$ ', ' $y$ ' is followed by ' $z$ ', or ' $z$ ' is followed by ' $x$ '. Otherwise odd (1).
- repetition : first and last axis are same (1) or different (0).
- frame : rotations are applied to static (0) or rotating (1) frame.


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## Examples

```
>>> alpha, beta, gamma = 0.123, -1.234, 2.345
>>> origin, xaxis, yaxis, zaxis = [0, 0, 0], [1, 0, 0], [0, 1, 0], [0, 0, 1]
>>> I = identity_matrix()
>>> Rx = rotation_matrix(alpha, xaxis)
>>> Ry = rotation_matrix(beta, yaxis)
>>> Rz = rotation_matrix(gamma, zaxis)
>>> R = concatenate_matrices(Rx, Ry, Rz)
>>> euler = euler_from_matrix(R, 'rxyz')
>>> numpy.allclose([alpha, beta, gamma], euler)
True
>>> Re = euler_matrix(alpha, beta, gamma, 'rxyz')
```

```
>>> is_same_transform(R, Re)
True
>>> al, be, ga = euler_from_matrix(Re, 'rxyz')
>>> is_same_transform(Re, euler_matrix(al, be, ga, 'rxyz'))
True
>>> qx = quaternion_about_axis(alpha, xaxis)
>>> qy = quaternion_about_axis(beta, yaxis)
>>> qz = quaternion_about_axis(gamma, zaxis)
>>> q = quaternion_multiply(qx, qy)
>>> q = quaternion_multiply(q, qz)
>>> Rq = quaternion_matrix(q)
>>> is_same_transform(R, Rq)
True
>>> S = scale_matrix(1.23, origin)
>>> T = translation_matrix([1, 2, 3])
>>> Z = shear_matrix(beta, xaxis, origin, zaxis)
>>> R = random_rotation_matrix(numpy.random.rand(3))
>>> M = concatenate_matrices(T, R, Z, S)
>>> scale, shear, angles, trans, persp = decompose_matrix(M)
>>> numpy.allclose(scale, 1.23)
True
>>> numpy.allclose(trans, [1, 2, 3])
True
>>> numpy.allclose(shear, [0, math.tan(beta), 0])
True
>>> is_same_transform(R, euler_matrix(axes='sxyz', *angles))
True
>>> M1 = compose_matrix(scale, shear, angles, trans, persp)
>>> is_same_transform(M, M1)
True
>>> v0, v1 = random_vector(3), random_vector(3)
>>> M = rotation_matrix(angle_between_vectors(v0, v1), vector_product(v0, v1))
>>> v2 = numpy.dot(v0, M[:3,:3].T)
>>> numpy.allclose(unit_vector(v1), unit_vector(v2))
True
class chemlab.graphics.transformations.Arcball(initial=None)
Virtual Trackball Control.
```

```
>>> ball = Arcball()
```

>>> ball = Arcball()
>>> ball = Arcball(initial=numpy.identity(4))
>>> ball = Arcball(initial=numpy.identity(4))
>>> ball.place([320, 320], 320)
>>> ball.place([320, 320], 320)
>>> ball.down([500, 250])
>>> ball.down([500, 250])
>>> ball.drag([475, 275])
>>> ball.drag([475, 275])
>>> R = ball.matrix()
>>> R = ball.matrix()
>>> numpy.allclose(numpy.sum(R), 3.90583455)
>>> numpy.allclose(numpy.sum(R), 3.90583455)
True
True
>>> ball = Arcball(initial=[1, 0, 0, 0])
>>> ball = Arcball(initial=[1, 0, 0, 0])
>>> ball.place([320, 320], 320)
>>> ball.place([320, 320], 320)
>>> ball.setaxes([1, 1, 0], [-1, 1, 0])
>>> ball.setaxes([1, 1, 0], [-1, 1, 0])
>>> ball.setconstrain(True)
>>> ball.setconstrain(True)
>>> ball.down([400, 200])
>>> ball.down([400, 200])
>>> ball.drag([200, 400])
>>> ball.drag([200, 400])
>>> R = ball.matrix()
>>> R = ball.matrix()
>>> numpy.allclose(numpy.sum(R), 0.2055924)
>>> numpy.allclose(numpy.sum(R), 0.2055924)
True
True
>>> ball.next()
>>> ball.next()
down (point)

```
down (point)
```

Set initial cursor window coordinates and pick constrain-axis.
drag (point)
Update current cursor window coordinates.
getconstrain()
Return state of constrain to axis mode.
matrix()
Return homogeneous rotation matrix.
next (acceleration=0.0)
Continue rotation in direction of last drag.
place (center, radius)
Place Arcball, e.g. when window size changes.
center [sequence[2]] Window coordinates of trackball center.
radius [float] Radius of trackball in window coordinates.
setaxes (*axes)
Set axes to constrain rotations.
setconstrain (constrain)
Set state of constrain to axis mode.

```
chemlab.graphics.transformations.affine_matrix_from_points(v0, v1, shear=True,
                                    scale=True, us-
                                    esvd=True)
```

Return affine transform matrix to register two point sets.
v 0 and v 1 are shape ( $\mathrm{ndims}, *$ ) arrays of at least ndims non-homogeneous coordinates, where ndims is the dimensionality of the coordinate space.

If shear is False, a similarity transformation matrix is returned. If also scale is False, a rigid/Eucledian transformation matrix is returned.
By default the algorithm by Hartley and Zissermann [15] is used. If usesvd is True, similarity and Eucledian transformation matrices are calculated by minimizing the weighted sum of squared deviations (RMSD) according to the algorithm by Kabsch [8]. Otherwise, and if ndims is 3, the quaternion based algorithm by Horn [9] is used, which is slower when using this Python implementation.

The returned matrix performs rotation, translation and uniform scaling (if specified).

```
>>> v0 = [[0, 1031, 1031, 0], [0, 0, 1600, 1600]]
>>> v1 = [[675, 826, 826, 677], [55, 52, 281, 277]]
>>> affine_matrix_from_points(v0, v1)
array([[ 0.14549, 0.00062, 675.50008],
    [ 0.00048, 0.14094, 53.24971],
    [ 0. , 0. , 1. ]])
>>> T = translation_matrix(numpy.random.random(3)-0.5)
>>> R = random_rotation_matrix(numpy.random.random(3))
>>> S = scale_matrix(random.random())
>>> M = concatenate_matrices(T, R, S)
>>> v0 = (numpy.random.rand(4, 100) - 0.5) * 20
>>> v0[3] = 1
>>> v1 = numpy.dot(M, v0)
>>> v0[:3] += numpy.random.normal(0, 1e-8, 300).reshape(3, -1)
>>> M = affine_matrix_from_points(v0[:3], v1[:3])
>>> numpy.allclose(v1, numpy.dot(M, v0))
True
```

More examples in superimposition_matrix()

```
chemlab.graphics.transformations.angle_between_vectors(v0, vl, directed=True,
                        axis=0)
```

Return angle between vectors.
If directed is False, the input vectors are interpreted as undirected axes, i.e. the maximum angle is pi/2.

```
>>> a = angle_between_vectors([1, -2, 3], [-1, 2, -3])
>>> numpy.allclose(a, math.pi)
True
>>> a = angle_between_vectors([1, -2, 3], [-1, 2, -3], directed=False)
>>> numpy.allclose(a, 0)
True
>> v0}=[[2,0,0,2],[0,2,0,2],[0,0,2,2]
>>> v1 = [[3], [0], [0]]
>>> a = angle_between_vectors(v0, v1)
>>> numpy.allclose(a, [0, 1.5708, 1.5708, 0.95532])
True
>> v0 =[[2, 0, 0], [2, 0, 0], [0, 2, 0], [2, 0, 0]]
>>> v1 =[[0, 3, 0], [0, 0, 3], [0, 0, 3], [3, 3, 3]]
>>> a = angle_between_vectors(v0, v1, axis=1)
>>> numpy.allclose(a, [1.5708, 1.5708, 1.5708, 0.95532])
True
```

chemlab.graphics.transformations.arcball_constrain_to_axis (point, axis)

Return sphere point perpendicular to axis.
chemlab.graphics.transformations.arcball_map_to_sphere (point, center, radius)
Return unit sphere coordinates from window coordinates.

```
chemlab.graphics.transformations.arcball_nearest_axis (point,axes)
```

Return axis, which arc is nearest to point.

```
chemlab.graphics.transformations.clip_matrix(left, right, bottom, top, near, far, perspec-
                tive=False)
```

Return matrix to obtain normalized device coordinates from frustrum.
The frustrum bounds are axis-aligned along x (left, right), y (bottom, top) and z (near, far).
Normalized device coordinates are in range $[-1,1]$ if coordinates are inside the frustrum.
If perspective is True the frustrum is a truncated pyramid with the perspective point at origin and direction along z axis, otherwise an orthographic canonical view volume (a box).
Homogeneous coordinates transformed by the perspective clip matrix need to be dehomogenized (divided by w coordinate).

```
>>> frustrum = numpy.random.rand(6)
>>> frustrum[1] += frustrum[0]
>>> frustrum[3] += frustrum[2]
>>> frustrum[5] += frustrum[4]
>>> M = clip_matrix(perspective=False, *frustrum)
>>> numpy.dot(M, [frustrum[0], frustrum[2], frustrum[4], 1])
array([-1., -1., -1., 1.])
>>> numpy.dot(M, [frustrum[1], frustrum[3], frustrum[5], 1])
array([ 1., 1., 1., 1.])
>>> M = clip_matrix(perspective=True, *frustrum)
>>> v = numpy.dot(M, [frustrum[0], frustrum[2], frustrum[4], 1])
>>> v / v[3]
array([-1., -1., -1., 1.])
>>> v = numpy.dot(M, [frustrum[1], frustrum[3], frustrum[4], 1])
```

>>> v / v[3]
$\operatorname{array}([1 ., 1 .,-1 ., 1]$.
chemlab.graphics.transformations.compose_matrix (scale=None, shear=None, angles $=$ None, translate $=$ None, perspective $=$ None )
Return transformation matrix from sequence of transformations.
This is the inverse of the decompose_matrix function.
Sequence of transformations: scale : vector of 3 scaling factors shear : list of shear factors for $\mathrm{x}-\mathrm{y}, \mathrm{x}-\mathrm{z}, \mathrm{y}-\mathrm{z}$ axes angles : list of Euler angles about static $\mathrm{x}, \mathrm{y}, \mathrm{z}$ axes translate : translation vector along $\mathrm{x}, \mathrm{y}, \mathrm{z}$ axes perspective : perspective partition of matrix

```
>>> scale = numpy.random.random(3) - 0.5
>>> shear = numpy.random.random(3) - 0.5
>>> angles = (numpy.random.random(3) - 0.5) * (2*math.pi)
>>> trans = numpy.random.random(3) - 0.5
>>> persp = numpy.random.random(4) - 0.5
>>> M0 = compose_matrix(scale, shear, angles, trans, persp)
>>> result = decompose_matrix(M0)
>>> M1 = compose_matrix(*result)
>>> is_same_transform(M0, M1)
True
```

chemlab.graphics.transformations.concatenate_matrices (*matrices)

Return concatenation of series of transformation matrices.

```
>>> M = numpy.random.rand(16).reshape((4, 4)) - 0.5
>>> numpy.allclose(M, concatenate_matrices(M))
True
>>> numpy.allclose(numpy.dot(M, M.T), concatenate_matrices(M, M.T))
True
```

```
chemlab.graphics.transformations.decompose_matrix(matrix)
```

Return sequence of transformations from transformation matrix.
matrix [array_like] Non-degenerative homogeneous transformation matrix
Return tuple of: scale : vector of 3 scaling factors shear: list of shear factors for $x-y, x-z, y-z$ axes angles : list of Euler angles about static $\mathrm{x}, \mathrm{y}, \mathrm{z}$ axes translate : translation vector along $\mathrm{x}, \mathrm{y}, \mathrm{z}$ axes perspective : perspective partition of matrix
Raise ValueError if matrix is of wrong type or degenerative.

```
>>> T0 = translation_matrix([1, 2, 3])
>>> scale, shear, angles, trans, persp = decompose_matrix(T0)
>>> T1 = translation_matrix(trans)
>>> numpy.allclose(T0, T1)
True
>>> S = scale_matrix(0.123)
>>> scale, shear, angles, trans, persp = decompose_matrix(S)
>>> scale[0]
0.123
>>> R0 = euler_matrix(1, 2, 3)
>>> scale, shear, angles, trans, persp = decompose_matrix(R0)
>>> R1 = euler_matrix(*angles)
>>> numpy.allclose(R0, R1)
True
```

chemlab.graphics.transformations.distance ( $x 1, x 2$ )
Distance between two points in space
chemlab.graphics.transformations.euler_from_matrix (matrix, axes='sxyz')
Return Euler angles from rotation matrix for specified axis sequence.
axes: One of 24 axis sequences as string or encoded tuple
Note that many Euler angle triplets can describe one matrix.

```
>>> R0 = euler_matrix(1, 2, 3, 'syxz')
>>> al, be, ga = euler_from_matrix(R0, 'syxz')
>>> R1 = euler_matrix(al, be, ga, 'syxz')
>>> numpy.allclose(R0, R1)
True
>>> angles = (4*math.pi) * (numpy.random.random(3) - 0.5)
>>> for axes in _AXES2TUPLE.keys():
... RO = euler_matrix(axes=axes, *angles)
... R1 = euler_matrix(axes=axes, *euler_from_matrix(R0, axes))
... if not numpy.allclose(R0, R1): print(axes, "failed")
```

chemlab.graphics.transformations.euler_from_quaternion (quaternion, axes='sxyz')
Return Euler angles from quaternion for specified axis sequence.

```
>>> angles = euler_from_quaternion([0.99810947, 0.06146124, 0, 0])
```

>>> numpy.allclose(angles, [0.123, 0, 0])
True
chemlab.graphics.transformations.euler_matrix (ai, aj, ak, axes='sxyz')
Return homogeneous rotation matrix from Euler angles and axis sequence.
ai, aj, ak : Euler's roll, pitch and yaw angles axes: One of 24 axis sequences as string or encoded tuple

```
>>> R = euler_matrix(1, 2, 3, 'syxz')
>>> numpy.allclose(numpy.sum(R[0]), -1.34786452)
True
>>> R = euler_matrix(1, 2, 3, (0, 1, 0, 1))
>>> numpy.allclose(numpy.sum(R[0]), -0.383436184)
True
>>> ai, aj, ak = (4*math.pi) * (numpy.random.random(3) - 0.5)
>>> for axes in _AXES2TUPLE.keys():
... R = euler_matrix(ai, aj, ak, axes)
>>> for axes in _TUPLE2AXES.keys():
... R = euler_matrix(ai, aj, ak, axes)
```

chemlab.graphics.transformations.identity_matrix()

Return $4 \times 4$ identity/unit matrix.

```
>>> I = identity_matrix()
>>> numpy.allclose(I, numpy.dot(I, I))
True
>>> numpy.sum(I), numpy.trace(I)
(4.0, 4.0)
>>> numpy.allclose(I, numpy.identity(4))
True
```

chemlab.graphics.transformations.inverse_matrix (matrix)
Return inverse of square transformation matrix.

```
>>> MO = random_rotation_matrix()
>>> M1 = inverse_matrix(M0.T)
```

```
>>> numpy.allclose(M1, numpy.linalg.inv(M0.T))
True
>>> for size in range(1, 7):
... MO = numpy.random.rand(size, size)
... M1 = inverse_matrix(M0)
... if not numpy.allclose(M1, numpy.linalg.inv(M0)): print(size)
```

chemlab.graphics.transformations.is_same_transform(matrix0, matrixl)
Return True if two matrices perform same transformation.

```
>>> is_same_transform(numpy.identity(4), numpy.identity(4))
```

True
>>> is_same_transform(numpy.identity(4), random_rotation_matrix())
False
chemlab.graphics.transformations.normalized $(x)$

Return the x vector normalized

```
chemlab.graphics.transformations.orthogonalization_matrix(lengths,angles)
```

    Return orthogonalization matrix for crystallographic cell coordinates.
    Angles are expected in degrees.
The de-orthogonalization matrix is the inverse.

```
>>> O = orthogonalization_matrix([10, 10, 10], [90, 90, 90])
>>> numpy.allclose(O[:3, :3], numpy.identity(3, float) * 10)
True
>>> O = orthogonalization_matrix([9.8, 12.0, 15.5], [87.2, 80.7, 69.7])
>>> numpy.allclose(numpy.sum(0), 43.063229)
True
```

chemlab.graphics.transformations.projection_from_matrix (matrix, pseudo=False)

Return projection plane and perspective point from projection matrix.
Return values are same as arguments for projection_matrix function: point, normal, direction, perspective, and pseudo.

```
>>> point = numpy.random.random(3) - 0.5
>>> normal = numpy.random.random(3) - 0.5
>>> direct = numpy.random.random(3) - 0.5
>>> persp = numpy.random.random(3) - 0.5
>>> PO = projection_matrix(point, normal)
>>> result = projection_from_matrix(P0)
>>> P1 = projection_matrix(*result)
>>> is_same_transform(P0, P1)
True
>>> PO = projection_matrix(point, normal, direct)
>>> result = projection_from_matrix(P0)
>>> P1 = projection_matrix(*result)
>>> is_same_transform(P0, P1)
True
>>> PO = projection_matrix(point, normal, perspective=persp, pseudo=False)
>>> result = projection_from_matrix(P0, pseudo=False)
>>> P1 = projection_matrix(*result)
>>> is_same_transform(P0, P1)
True
>>> PO = projection_matrix(point, normal, perspective=persp, pseudo=True)
>>> result = projection_from_matrix(P0, pseudo=True)
>>> P1 = projection_matrix(*result)
```

```
>>> is_same_transform(P0, P1)
True
chemlab.graphics.transformations.projection_matrix(point, normal, direc-
                                    tion=None, perspective=None,
                                    pseudo=False)
```

Return matrix to project onto plane defined by point and normal.
Using either perspective point, projection direction, or none of both.
If pseudo is True, perspective projections will preserve relative depth such that Perspective $=\operatorname{dot}($ Orthogonal, PseudoPerspective).

```
>>> P = projection_matrix([0, 0, 0], [1, 0, 0])
>>> numpy.allclose(P[1:, 1:], numpy.identity(4)[1:, 1:])
True
>>> point = numpy.random.random(3) - 0.5
>>> normal = numpy.random.random(3) - 0.5
>>> direct = numpy.random.random(3) - 0.5
>>> persp = numpy.random.random(3) - 0.5
>>> PO = projection_matrix(point, normal)
>>> P1 = projection_matrix(point, normal, direction=direct)
>>> P2 = projection_matrix(point, normal, perspective=persp)
>>> P3 = projection_matrix(point, normal, perspective=persp, pseudo=True)
>>> is_same_transform(P2, numpy.dot(P0, P3))
True
>>> P = projection_matrix([3, 0, 0], [1, 1, 0], [1, 0, 0])
>>> v0 = (numpy.random.rand(4, 5) - 0.5) * 20
>>> v0[3] = 1
>>> v1 = numpy.dot(P, v0)
>>> numpy.allclose(v1[1], v0[1])
True
>>> numpy.allclose(v1[0], 3-v1[1])
True
```

chemlab.graphics.transformations.quaternion_about_axis(angle, axis)
Return quaternion for rotation about axis.

```
    >>> q = quaternion_about_axis(0.123, [1, 0, 0])
    >>> numpy.allclose(q, [0.99810947, 0.06146124, 0, 0])
    True
```

chemlab.graphics.transformations.quaternion_conjugate (quaternion)
Return conjugate of quaternion.
>>> q0 = random_quaternion()
>>> q1 = quaternion_conjugate (q0)
>>> q1[0] == q0[0] and all(q1[1:] == -q0[1:])
True

```
chemlab.graphics.transformations.quaternion_from_euler(ai, aj, ak, axes='sxyz')
```

Return quaternion from Euler angles and axis sequence.
ai, aj, ak : Euler's roll, pitch and yaw angles axes: One of 24 axis sequences as string or encoded tuple

```
>>> q = quaternion_from_euler(1, 2, 3, 'ryxz')
```

>>> numpy.allclose(q, [0.435953, 0.310622, -0.718287, 0.444435])
True

```
chemlab.graphics.transformations.quaternion_from_matrix(matrix, isprecise=False)
```

    Return quaternion from rotation matrix.
    If isprecise is True, the input matrix is assumed to be a precise rotation matrix and a faster algorithm is used.

```
>>> q = quaternion_from_matrix(numpy.identity(4), True)
>>> numpy.allclose(q, [1, 0, 0, 0])
True
>>> q = quaternion_from_matrix(numpy.diag([1, -1, -1, 1]))
>>> numpy.allclose(q, [0, 1, 0, 0]) or numpy.allclose(q, [0, -1, 0, 0])
True
>>> R = rotation_matrix(0.123, (1, 2, 3))
>>> q = quaternion_from_matrix(R, True)
>>> numpy.allclose(q, [0.9981095, 0.0164262, 0.0328524, 0.0492786])
True
>> R [[-0.545, 0.797, 0.260, 0], [0.733, 0.603, -0.313, 0],
\cdots [-0.407, 0.021, -0.913, 0], [0, 0, 0, 1]]
>>> q = quaternion_from_matrix(R)
>>> numpy.allclose(q, [0.19069, 0.43736, 0.87485, -0.083611])
True
>> R = [[0.395, 0.362, 0.843, 0], [-0.626, 0.796, -0.056, 0],
\cdots. [-0.677, -0.498, 0.529, 0], [0, 0, 0, 1]]
>>> q = quaternion_from_matrix(R)
>>> numpy.allclose(q, [0.82336615, -0.13610694, 0.46344705, -0.29792603])
True
>>> R = random_rotation_matrix()
>>> q = quaternion_from_matrix(R)
>>> is_same_transform(R, quaternion_matrix(q))
True
```

chemlab.graphics.transformations.quaternion_imag (quaternion)
Return imaginary part of quaternion.

```
>>> quaternion_imag([3, 0, 1, 2])
array([ 0., 1., 2.])
```

chemlab.graphics.transformations.quaternion_inverse (quaternion)
Return inverse of quaternion.

```
>>> q0 = random_quaternion()
>>> q1 = quaternion_inverse(q0)
>>> numpy.allclose(quaternion_multiply(q0, q1), [1, 0, 0, 0])
True
```

Chemlab.graphics.transformations.quaternion_matrix(quaternion)
Return homogeneous rotation matrix from quaternion.

```
>>> M = quaternion_matrix([0.99810947, 0.06146124, 0, 0])
>>> numpy.allclose(M, rotation_matrix(0.123, [1, 0, 0]))
True
>>> M = quaternion_matrix([1, 0, 0, 0])
>>> numpy.allclose(M, numpy.identity(4))
True
>>> M = quaternion_matrix([0, 1, 0, 0])
>>> numpy.allclose(M, numpy.diag([1, -1, -1, 1]))
True
```

chemlab.graphics.transformations.quaternion_multiply (quaternionl, quaternion0)
Return multiplication of two quaternions.

```
>>> q = quaternion_multiply([4, 1, -2, 3], [8, -5, 6, 7])
>>> numpy.allclose(q, [28, -44, -14, 48])
True
```

```
chemlab.graphics.transformations.quaternion_real (quaternion)
```

Return real part of quaternion.

```
>>> quaternion_real([3, 0, 1, 2])
```

3.0
chemlab.graphics.transformations.quaternion_slerp (quat0, quatl, fraction, spin=0, shortestpath=True)
Return spherical linear interpolation between two quaternions.

```
>>> q0 = random_quaternion()
```

>>> q1 = random_quaternion()
>>> $q=$ quaternion_slerp (q0, q1, 0)
>>> numpy.allclose(q, q0)
True
>>> $q$ = quaternion_slerp(q0, q1, 1, 1)
>>> numpy.allclose(q, q1)
True
>>> q = quaternion_slerp(q0, q1, 0.5)
$\ggg$ angle $=$ math $\cdot \operatorname{acos(numpy} \cdot \operatorname{dot}(q 0, q))$
$\ggg$ numpy.allclose(2, math.acos(numpy.dot(q0, q1)) / angle) or numpy.allclose(2, math.ac
True
chemlab.graphics.transformations.random_quaternion (rand=None)

Return uniform random unit quaternion.
rand: array like or None Three independent random variables that are uniformly distributed between 0 and 1 .
>>> $q$ = random_quaternion()
>>> numpy.allclose(1, vector_norm(q))
True
>>> $q$ = random_quaternion(numpy.random.random(3))
>>> len(q.shape), q.shape [0]==4
(1, True)

```
chemlab.graphics.transformations.random_rotation_matrix(rand=None)
```

Return uniform random rotation matrix.
rand: array like Three independent random variables that are uniformly distributed between 0 and 1 for each returned quaternion.

```
>>> R = random_rotation_matrix()
>>> numpy.allclose(numpy.dot(R.T, R), numpy.identity(4))
```

True
chemlab.graphics.transformations.random_vector (size)

Return array of random doubles in the half-open interval [0.0, 1.0).

```
>>> v = random_vector(10000)
>>> numpy.all(v >= 0) and numpy.all(v < 1)
True
>>> v0 = random_vector(10)
>>> v1 = random_vector(10)
>>> numpy.any(v0 == v1)
False
```

chemlab.graphics.transformations.reflection_from_matrix (matrix)

Return mirror plane point and normal vector from reflection matrix.

```
>>> v0 = numpy.random.random(3) - 0.5
>>> v1 = numpy.random.random(3) - 0.5
```

```
>>> M0 = reflection_matrix(v0, v1)
>>> point, normal = reflection_from_matrix(M0)
>>> M1 = reflection_matrix(point, normal)
>>> is_same_transform(M0, M1)
True
```

chemlab.graphics.transformations.reflection_matrix (point, normal)
Return matrix to mirror at plane defined by point and normal vector.

```
>>> v0 = numpy.random.random(4) - 0.5
>>> v0[3] = 1.
>>> v1 = numpy.random.random(3) - 0.5
>>> R = reflection_matrix(v0, v1)
>>> numpy.allclose(2, numpy.trace(R))
True
>>> numpy.allclose(v0, numpy.dot(R, v0))
True
>>> v2 = v0.copy()
>>> v2[:3] += v1
>>> v3 = v0.copy()
>>> v2[:3] -= v1
>>> numpy.allclose(v2, numpy.dot(R, v3))
True
```

chemlab.graphics.transformations.rotation_from_matrix(matrix)
Return rotation angle and axis from rotation matrix.

```
>>> angle = (random.random() - 0.5) * (2*math.pi)
>>> direc = numpy.random.random(3) - 0.5
>>> point = numpy.random.random(3) - 0.5
>>> R0 = rotation_matrix(angle, direc, point)
>>> angle, direc, point = rotation_from_matrix(R0)
>>> R1 = rotation_matrix(angle, direc, point)
>>> is_same_transform(R0, R1)
True
```

chemlab.graphics.transformations.rotation_matrix (angle, direction)
Create a rotation matrix corresponding to the rotation around a general axis by a specified angle.
$R=d^{\wedge} T+\cos (a)\left(I-d d^{\wedge} T\right)+\sin (a) \operatorname{skew}(d)$
Parameters:
angle : float a direction : array d
chemlab.graphics.transformations.scale_from_matrix (matrix)
Return scaling factor, origin and direction from scaling matrix.

```
>>> factor = random.random() * 10 - 5
>>> origin = numpy.random.random(3) - 0.5
>>> direct = numpy.random.random(3) - 0.5
>>> SO = scale_matrix(factor, origin)
>>> factor, origin, direction = scale_from_matrix(S0)
>>> S1 = scale_matrix(factor, origin, direction)
>>> is_same_transform(S0, S1)
True
>>> S0 = scale_matrix(factor, origin, direct)
>>> factor, origin, direction = scale_from_matrix(S0)
>>> S1 = scale_matrix(factor, origin, direction)
>>> is_same_transform(S0, S1)
True
```

chemlab.graphics.transformations.scale_matrix (factor, origin=None, direction=None)
Return matrix to scale by factor around origin in direction.
Use factor -1 for point symmetry.

```
>>> v = (numpy.random.rand(4, 5) - 0.5) * 20
>>> v[3] = 1
>>> S = scale_matrix(-1.234)
>>> numpy.allclose(numpy.dot(S, v)[:3], -1.234*v[:3])
True
>>> factor = random.random() * 10 - 5
>>> origin = numpy.random.random(3) - 0.5
>>> direct = numpy.random.random(3) - 0.5
>>> S = scale_matrix(factor, origin)
>>> S = scale_matrix(factor, origin, direct)
chemlab.graphics.transformations.shear_from_matrix(matrix)
```

Return shear angle, direction and plane from shear matrix.

```
>>> angle = (random.random() - 0.5) * 4*math.pi
>>> direct = numpy.random.random(3) - 0.5
>>> point = numpy.random.random(3) - 0.5
>>> normal = numpy.cross(direct, numpy.random.random(3))
>>> SO = shear_matrix(angle, direct, point, normal)
>>> angle, direct, point, normal = shear_from_matrix(S0)
>>> S1 = shear_matrix(angle, direct, point, normal)
>>> is_same_transform(S0, S1)
True
```

chemlab.graphics.transformations.shear_matrix (angle, direction, point, normal)
Return matrix to shear by angle along direction vector on shear plane.
The shear plane is defined by a point and normal vector. The direction vector must be orthogonal to the plane's normal vector.

A point P is transformed by the shear matrix into $\mathrm{P} "$ such that the vector $\mathrm{P}-\mathrm{P} "$ is parallel to the direction vector and its extent is given by the angle of $\mathrm{P}-\mathrm{P}^{\prime}-\mathrm{P}^{\prime \prime}$, where $\mathrm{P}^{\prime}$ is the orthogonal projection of P onto the shear plane.

```
>>> angle = (random.random() - 0.5) * 4*math.pi
>>> direct = numpy.random.random(3) - 0.5
>>> point = numpy.random.random(3) - 0.5
>>> normal = numpy.cross(direct, numpy.random.random(3))
>>> S = shear_matrix(angle, direct, point, normal)
>>> numpy.allclose(1, numpy.linalg.det(S))
True
```

chemlab.graphics.transformations.simple_clip_matrix(scale, znear, zfar, aspectratio=1.0)
Given the parameters for a frustum returns a $4 \times 4$ perspective projection matrix
Parameters: float scale: float znear,zfar: near/far plane z, float
Return: a $4 x 4$ perspective matrix
chemlab.graphics.transformations.superimposition_matrix(v0, vl, scale=False, usesvd=True)
Return matrix to transform given 3D point set into second point set.
v 0 and v 1 are shape $(3, *)$ or $(4, *)$ arrays of at least 3 points.
The parameters scale and usesvd are explained in the more general affine_matrix_from_points function.

The returned matrix is a similarity or Eucledian transformation matrix. This function has a fast C implementation in transformations.c.

```
>>> v0 = numpy.random.rand(3, 10)
>>> M = superimposition_matrix(v0, v0)
>>> numpy.allclose(M, numpy.identity(4))
```

True
$\ggg R=$ random_rotation_matrix(numpy.random.random (3))
$\gg \mathrm{v} 0=[[1,0,0],[0,1,0],[0,0,1],[1,1,1]]$
$\ggg \mathrm{v} 1=$ numpy. $\operatorname{dot}(\mathrm{R}, \mathrm{v} 0)$
>>> $M=$ superimposition_matrix(v0, v1)
>>> numpy.allclose(v1, numpy.dot (M, v0))
True
$\ggg \mathrm{v} 0=$ (numpy.random.rand $(4,100)-0.5) * 20$
$\ggg v 0[3]=1$
$\ggg \mathrm{v} 1=$ numpy. $\operatorname{dot}(\mathrm{R}, \mathrm{v} 0)$
$\ggg M=$ superimposition_matrix(v0, v1)
$\ggg$ numpy.allclose(v1, numpy.dot (M, v0))
True
>>> $S=$ scale_matrix(random.random())
$\ggg \mathrm{T}=$ translation_matrix(numpy.random.random (3) - 0. 5)
$\ggg M=$ concatenate_matrices(T, $R, S)$
$\ggg \mathrm{v} 1=$ numpy.dot $(\mathrm{M}, \mathrm{v} 0)$
$\ggg v 0[: 3]+=$ numpy.random.normal (0, 1e-9, 300).reshape $(3,-1)$
$\ggg M=$ superimposition_matrix(v0, v1, scale=True)
>>> numpy.allclose(v1, numpy.dot (M, v0))
True
>>> $M=$ superimposition_matrix(v0, v1, scale=True, usesvd=False)
>>> numpy.allclose(v1, numpy.dot (M, v0))
True
$\ggg v=$ numpy.empty $((4,100,3))$
$\ggg \mathrm{v}[:$, : 0$]=\mathrm{v} 0$
>>> $M=$ superimposition_matrix(v0, v1, scale=True, usesvd=False)
$\ggg$ numpy.allclose(v1, numpy.dot(M, v[:, :, 0]))
True
chemlab.graphics.transformations.translation_from_matrix (matrix)
Return translation vector from translation matrix.
$\ggg \mathrm{v} 0=$ numpy.random.random(3) - 0.5
>>> v1 = translation_from_matrix(translation_matrix(v0))
>>> numpy.allclose(v0, v1)
True
chemlab.graphics.transformations.translation_matrix(direction)
Return matrix to translate by direction vector.

```
>>> v = numpy.random.random(3) - 0.5
>>> numpy.allclose(v, translation_matrix(v) [:3, 3])
True
```

chemlab.graphics.transformations.unit_vector (data, axis=None, out=None)
Return ndarray normalized by length, i.e. eucledian norm, along axis.

```
>>> v0 = numpy.random.random(3)
>>> v1 = unit_vector(v0)
>>> numpy.allclose(v1, v0 / numpy.linalg.norm(v0))
True
>>> v0 = numpy.random.rand (5, 4, 3)
>>> v1 = unit_vector(v0, axis=-1)
```

```
>>> v2 = v0 / numpy.expand_dims(numpy.sqrt(numpy.sum(v0*v0, axis=2)), 2)
>>> numpy.allclose(v1, v2)
True
>>> v1 = unit_vector(v0, axis=1)
>>> v2 = v0 / numpy.expand_dims(numpy.sqrt(numpy.sum(v0*v0, axis=1)), 1)
>>> numpy.allclose(v1, v2)
True
>>> v1 = numpy.empty((5, 4, 3))
>>> unit_vector(v0, axis=1, out=v1)
>>> numpy.allclose(v1, v2)
True
>>> list(unit_vector([]))
[]
>>> list(unit_vector([1]))
[1.0]
```

chemlab.graphics.transformations.vector_norm (data, axis=None, out=None)
Return length, i.e. eucledian norm, of ndarray along axis.

```
>>> v = numpy.random.random(3)
>>> n = vector_norm(v)
>>> numpy.allclose(n, numpy.linalg.norm(v))
True
>>> v = numpy.random.rand(6, 5, 3)
>>> n = vector_norm(v, axis=-1)
>>> numpy.allclose(n, numpy.sqrt(numpy.sum(v*v, axis=2)))
True
>>> n = vector_norm(v, axis=1)
>>> numpy.allclose(n, numpy.sqrt(numpy.sum(v*v, axis=1)))
True
>>> v = numpy.random.rand(5, 4, 3)
>>> n = numpy.empty((5, 3))
>>> vector_norm(v, axis=1, out=n)
>>> numpy.allclose(n, numpy.sqrt(numpy.sum(v*v, axis=1)))
True
>>> vector_norm([])
0.0
>>> vector_norm([1])
1.0
```

chemlab.graphics.transformations.vector_product ( $v 0, v 1$, axis=0)
Return vector perpendicular to vectors.

```
>>> v = vector_product ([2, 0, 0], [0, 3, 0])
>>> numpy.allclose(v, [0, 0, 6])
True
>> v0 = [[2, 0, 0, 2], [0, 2, 0, 2], [0, 0, 2, 2]]
>>> v1 = [[3], [0], [0]]
>>> v = vector_product(v0, v1)
>> numpy.allclose(v, [[0, 0, 0, 0], [0, 0, 6, 6], [0, -6, 0, -6]])
True
>> v0 =[[2, 0, 0], [2, 0, 0], [0, 2, 0], [2, 0, 0]]
>>> v1 = [[0, 3, 0], [0, 0, 3], [0, 0, 3], [3, 3, 3]]
>>> v = vector_product(v0, v1, axis=1)
>> numpy.allclose(v, [[0, 0, 6], [0, -6, 0], [6, 0, 0], [0, -6, 6]])
True
```


## LICENSE

Chemlab is released under the GNU GPLv3 and its main developer is Gabriele Lanaro.

## PYTHON MODULE INDEX

```
C
chemlab.graphics.transformations, ??
```

